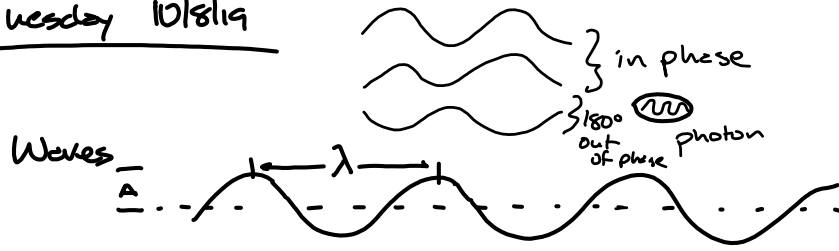


Tuesday 10/18/19



Waves

$$\text{wavelength} = \frac{\lambda}{\text{Period}}$$

$$= \lambda f$$

$$\lambda \nu$$

↑ ↑
wavelength nu

lightspeed = $\lambda \nu$

frequency = $\frac{\text{cycles}}{\text{second}}$ Hertz

$$\frac{1}{s} = s^{-1} = \text{Hz}$$

period = $\frac{1}{\text{frequency}} = \frac{\text{seconds}}{\text{cycle}}$

Speed of light = $3.00 \times 10^8 \text{ m/s}$

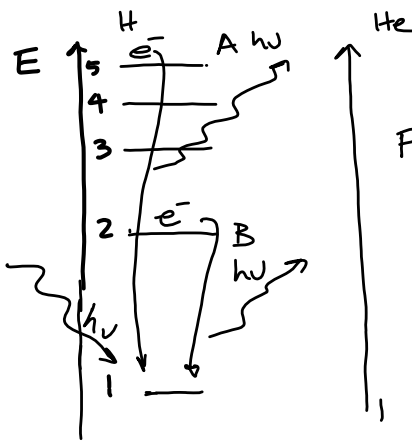
$$\frac{3.00 \times 10^8 \text{ m}}{1 \text{ s}} \times \frac{10^2 \text{ cm}}{1 \text{ m}} \times \frac{1 \text{ in}}{2.54 \text{ cm}} \times \frac{1 \text{ ft}}{12 \text{ in}} \times \frac{1 \text{ mi}}{5280 \text{ ft}} \times \frac{3600 \text{ s}}{1 \text{ hr}} = 6.71 \times 10^8 \frac{\text{mi}}{\text{hr}}$$

The energy of a photon $E = h\nu$

$h = \text{Planck's constant}$
 $6.626 \times 10^{-34} \text{ J}\cdot\text{s}$

$\nu = \text{frequency in } \frac{1}{\text{s}}$

Electrons in H atom



$$F = k \frac{Q_1 Q_2}{r^2}$$

$\Phi = \text{the energy required to remove an } e^- \text{ from the surface}$

wavelength = $\lambda \nu$

speed and energy of a photon inversely

S.O.L. $\rightarrow c = \lambda \nu$

$E = h\nu$

$$\nu = \frac{c}{\lambda}$$

$$E = \frac{hc}{\lambda}$$

$$y = m \cdot \frac{1}{x}$$

Chem 1A Homework
for Mon 10/14

Read: 4.2

DO: 15-22 p.126

$$F \propto d$$

$$\div \frac{F_A = 2.30 \times 10^{-8} \text{ N} \quad d_A = 0.10 \text{ m}}{\quad}$$

$$F_B = 0.58 \times 10^{-8} \text{ N} \quad d_B = 0.20 \text{ m}$$

$$\frac{F_A}{F_B} = 4$$

$$\frac{d_A}{d_B} = \frac{1}{2}$$

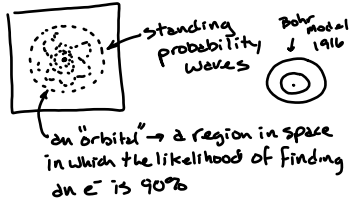
$$F_B \text{ is } \frac{1}{4} \text{ of } F_A$$

$$d_B = \frac{1}{2} \text{ of } d_A$$

$$F \propto \left(\frac{1}{d}\right)^2$$

Wed 10/14/19

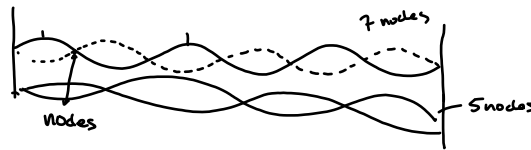
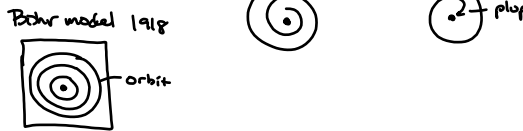
Current model of the atom
 Since ~ 1926
 E. Schrödinger
 Gravitational Force



$F_g = G \frac{m_1 m_2}{r^2}$
 Inverse-squared laws

Coulomb's Law $F_e = k \frac{Q_1 Q_2}{r^2}$
 Inverse-squared laws

$\text{\AA} = \text{angstrom} = 1 \times 10^{-10} \text{ m}$



Solutions to the Schrödinger wave equation
 Give us 3 + 1 quantum numbers that describe, in general terms the energy and relative positions of e⁻ electrons around atoms.

Quantum #s

$n = \text{the Principal Q.N.}$ $n = 1 \rightarrow \infty$ (integers)
 → indicates overall energy and distance from nucleus

$l = \text{angular momentum Q.N.}$ $l = 0 \rightarrow (n-1)$ (integers)
 → indicates the type of subshell orbital inhabits
 → tells you what the shape of the orbital is

$m_l = \text{Magnetic quantum \#}$ $m_l = (-l \rightarrow +l)$ (whole numbers)
 → tells the orientation in space of the orbital
 → which axis it inhabits.

$m_s = \text{spin Q.N.}$ $m_s = (-1/2, +1/2)$
 → this one ensures that each orbital can hold only two e⁻

n	l	m_l	m_s
1-∞	0-(n-1)	-l → +l	-1/2, +1/2
1	0 - spherical	0	-1/2, +1/2 2e ⁻
2	0 - s	0	-1/2, +1/2 2e ⁻
	1 - p	-1, 0, +1	(-1/2, +1/2) × 3 6e ⁻
3	0 - s	# of orbitals	
	1 - p	-1, 0, +1	
	2 - d	-2, -1, 0, 1, 2	10e ⁻
4	0 - s	0	2e ⁻
	1 - p	-1, 0, 1	6e ⁻
	2 - d	-2, -1, 0, 1, 2	10e ⁻
	3 - f	-3, -2, -1, 0, 1, 2, 3	14e ⁻

Monday 10/14/19

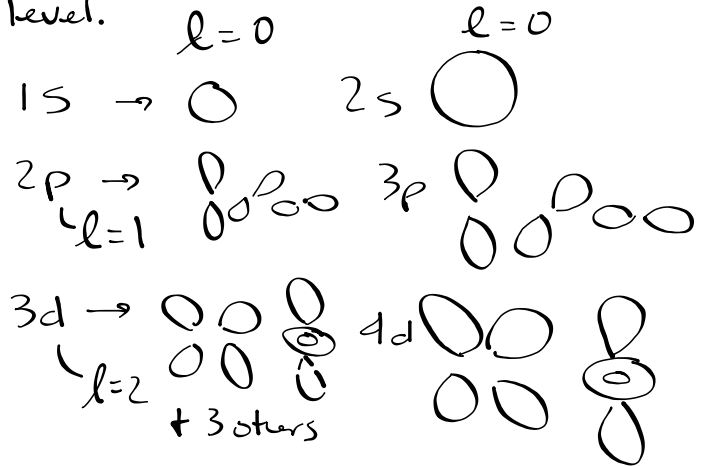
Quantum #s and the shapes of atomic orbitals.

→ Quantum #s tells you

principal QN n - relative distance from nucleus
 $[1 \rightarrow \infty]$ - relative energy of electrons in that level.

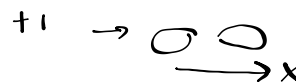
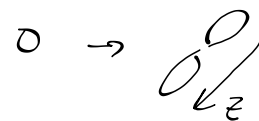
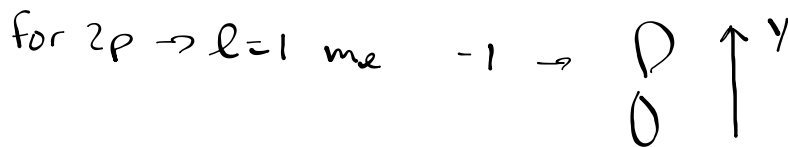
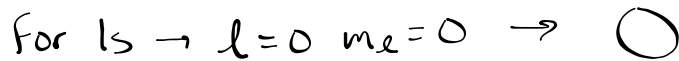
→ angular momentum QN l -
 $[0 \rightarrow (n-1)]$

→ tells shape of orbitals
 → what type of sublevel the electron is in



→ magnetic QN. $m_l (-l \rightarrow +l)$

- tells the orientation in space of the orbitals in a sublevel



m_s $+1/2, -1/2$

↳ tells the magnetic spin-state of the e^-

→ really sets the max occupancy of an orbital
 @ $2e^-$

Electron Configurations

3 Rules for assigning electron configurations for atoms in the ground-state.

① Aufbau Rule

→ lowest energy orb.s fill 1st

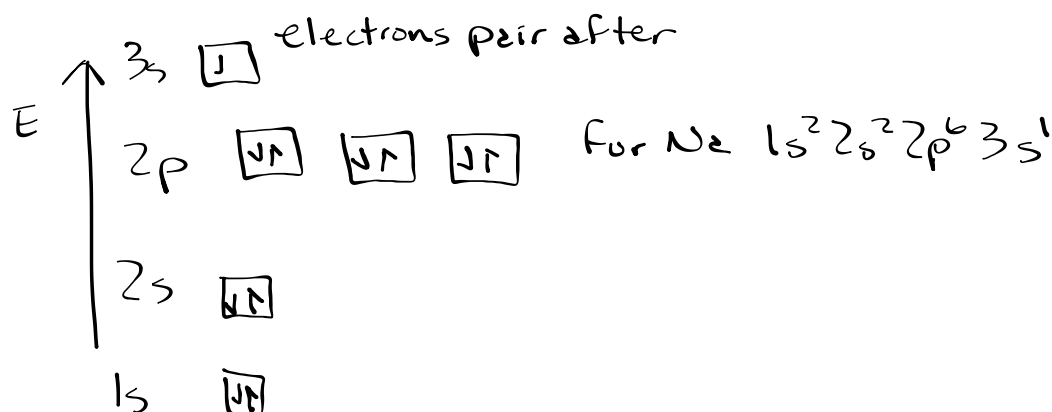
② Pauli Exclusion Principle

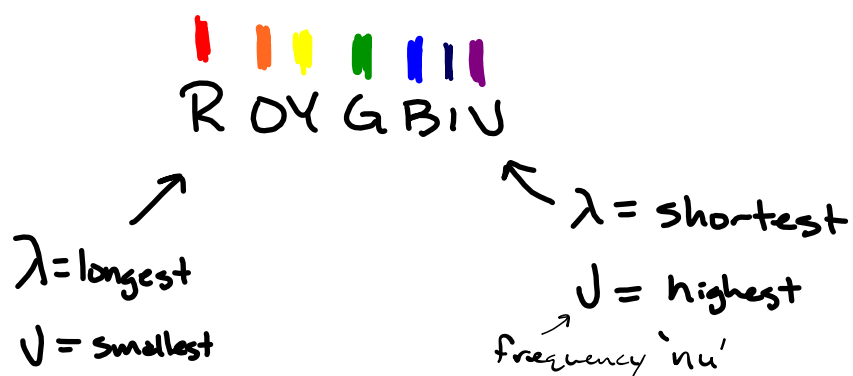
→ no two electrons can be described by the same 4 quantum #s

→ this means $2e^-$ max/orbital

③ Hund's Rule (ski-trip)

→ degenerate orbitals fill singly first





$$E = h\nu \quad c = \lambda\nu$$

$$E = \frac{hc}{\lambda}$$

$$c = 3.00 \times 10^8 \text{ m/s}$$

$$h = 6.626 \times 10^{-34} \text{ J}\cdot\text{s}$$

$$1 \text{ nm} = 1 \times 10^{-9} \text{ m}$$

$$1 \text{ m} = 1 \times 10^9 \text{ nm}$$