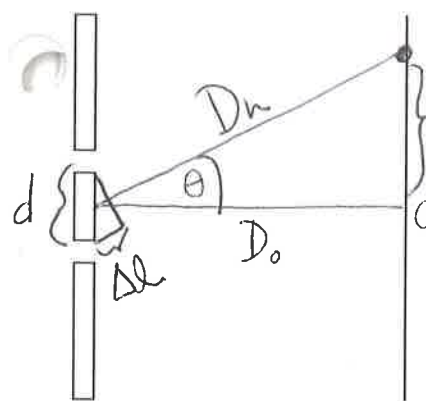


# (anti-node) The Fringe Equations (node)

## Constructive Interference

## Destructive Interference



$$\sin \theta = \frac{n\lambda}{d} = \frac{X_n}{D_n}$$

$$\sin \theta = \frac{(n + \frac{1}{2})\lambda}{d} = \frac{X_n}{D_n}$$

For small angles,  $D_0 \approx D_n$

and all "X" distances are the same

$$\frac{X_n}{D_n} = \frac{X_n}{D_0}$$

| Variable: | X                                    | $\theta$                              | D                                   | d                        | $\lambda$  |
|-----------|--------------------------------------|---------------------------------------|-------------------------------------|--------------------------|------------|
| Quantity: | linear displacement from central max | angular displacement from central max | distance between sources and screen | distance between sources | wavelength |
| Units:    | m                                    | degrees or radians                    | m                                   | m                        | m          |

For light:

$$\frac{\Delta x}{D} = \frac{\lambda}{d}$$

### Thomas Young's Double Slit Diffraction

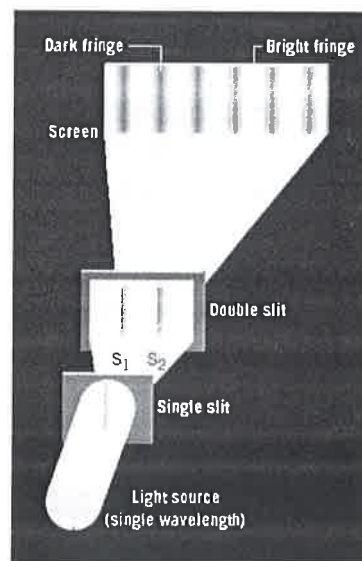
In 1801 the English scientist Thomas Young (1773-1829) performed an historic experiment that demonstrated the wave nature of light by showing that two overlapping light waves interfered with each other.

Importance of experiment:

1. demonstrated that light acts as a wave
2. first measurement of wavelength of light

What is the reason for first having a single and then a double slit?

The single slit acts as a point source to ensure that the waves from the double slits are coherent.



In a double slit experiment, light whose wavelength is  $6.0 \times 10^{-7} \text{ m}$  is shone through two slits that are  $0.10 \text{ mm}$  apart onto a screen that is  $2.5 \text{ m}$  away. What is the distance between the central maximum and the first bright band?

$$D_n = D_0 = 2.5 \text{ m} \quad d = 1.0 \times 10^{-4} \text{ m} \quad n = 1$$

$$\frac{X_n}{D_n} = \frac{n\lambda}{d}$$

$$X_n = \frac{(1)(6.0 \times 10^{-7} \text{ m})(2.5 \text{ m})}{(1.0 \times 10^{-4} \text{ m})} = \boxed{0.015 \text{ m}}$$

$$X_n = \frac{n\lambda D_n}{d}$$