

Path Length $(\ell)$-distance traveled by a wave from source to a location
Path Difference ( $\Delta \mathfrak{\ell}$ ) - difference in path lengths between two waves $=\left|\ell \ell_{1}-\ell_{2}\right|$

Anti-nodal Line:
line of maximum constructive Conditions for Anti-nodal Line interference
Phase difference: in phase, $0^{\circ}$ difference

$$
\Delta l=(2.5 \lambda-1.5 \lambda)=1 \lambda \underset{\rightarrow}{\text { Path difference: } \cdots=n \lambda}
$$

Conditions for a stable interference pattern:

Nodal Line:
line of constant destructive interference Conditions for Nodal Line
Phase difference: out of phase by $180^{\circ}$
Path difference

$$
\Delta l=(2.5 \lambda-1 \lambda)=1.5 \lambda
$$

where $n=1$
$\Delta_{l}=\left(n+\frac{1}{2}\right) \lambda$

1) waves have approximately same amplitude/intensity and frequency/wavelength
2) sources are coherent
1. A square is 3.5 m on a side, and point A is the midpoint of one of its sides. On the side opposite this spot, two in-phase loudspeakers are located at adjacent corners. Standing at point A, you hear a loud sound and as you walk along the side of the square toward either empty corner, the loudness diminishes gradually but does not entirely disappear until you reach either empty corner, where you hear no sound at all. Find the wavelength of the sound waves.
What is $\lambda$ ?

$$
\begin{aligned}
& \Delta l=\left(n+\frac{1}{2}\right) \lambda \quad \frac{|3.5 m-\sqrt{2}(3.5 m)|}{0.5} \\
& \lambda=\frac{\Delta l}{\left(n+\frac{1}{2}\right)} \text { Where } \begin{array}{l}
n=\varnothing
\end{array}=2.9 m=\lambda
\end{aligned}
$$



$$
\begin{aligned}
& \text { loodspeaker'tl } \rightarrow \text { node } \\
& =3.5 \mathrm{~m}
\end{aligned}
$$

$c^{2}=a^{2}+b^{2} \quad c^{2}=2(3.5 \mathrm{~m})^{2}$ loodspechlece $\$ 2 \ni$ node $=\sqrt{2(3.5 m)^{2}}$

