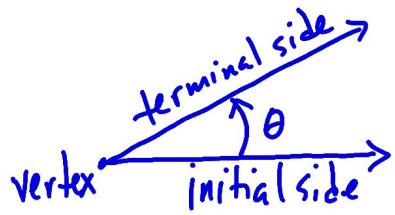
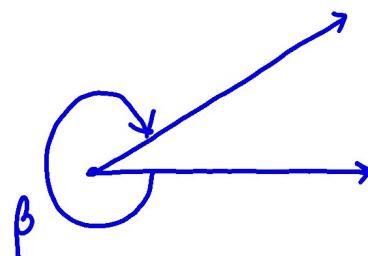


Section 5.1 Angles and Their Measures

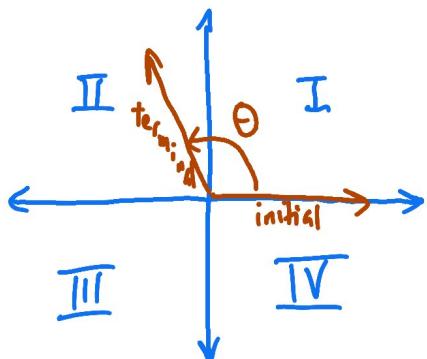


counterclockwise
positive angle measure



clockwise
negative angle measure

Standard position - initial side is the positive x-axis.



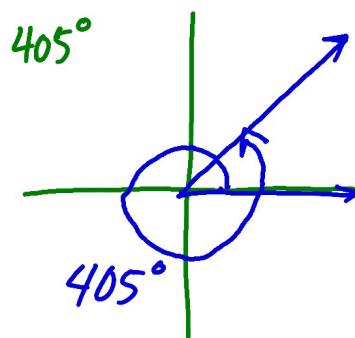
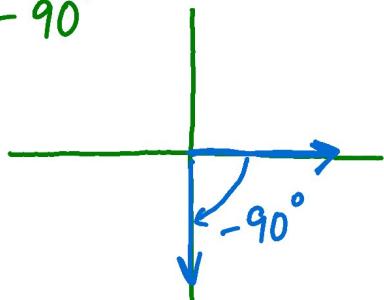
We say θ lies in Quadrant II because its terminal sides is in QII

When the terminal side lies on an axis we say the angle is a quadrantal angle.

One way to measure angles is in degrees. There are 360° in one revolution. A straight angle is 180° . A right angle measures 90° .

Draw angle in standard position.

ex: -90°



To get angle measures more precisely we use minutes and seconds

There are 60 minutes in 1 degree

There are 60 seconds in 1 minute

There are 3600 seconds in 1 degree

Convert to decimal:

$$50^{\circ} 6' 21'' = 50.106^{\circ}$$

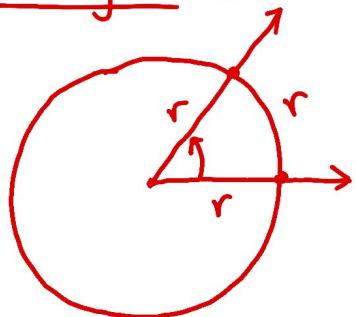
50 2nd angle \circ 6 2nd angle ' 21" enter

Convert to degrees, minutes, seconds

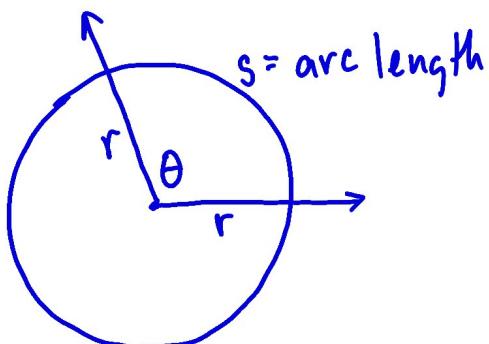
$$21.256 = 21^{\circ} 15' 21.6''$$

21.256 2nd angle ►DMS enter

A central angle is one whose vertex is the center of a circle.



We can also measure angles in radians. If the radius of the circle and the arc length are the same, the central angle measures 1 radian.



If θ is in radians,
then $s = r\theta$

What is angle in radians that is one revolution?

one revolution = circumference
has arc length

$$\cancel{\theta} = 2\pi r$$

$$\theta = 2\pi \text{ radians}$$

$$360^\circ = 2\pi \text{ radians}$$

$$1^\circ = \frac{2\pi}{360} = \frac{\pi}{180} \text{ radians}$$

To convert from degrees to radians, multiply by $\frac{\pi}{180}$

To convert from radians to degrees, multiply by $\frac{180}{\pi}$

ex: Convert 315° to radians

$$\frac{315}{1} \cdot \frac{\pi}{180} = \frac{7}{4}\pi = \frac{7\pi}{4} \text{ radians}$$

$$315 \cdot \frac{1}{180} \Rightarrow \text{FRAC} = \frac{7}{4}$$

P379
 $5 - 40$ multiples of 5,
69, 70, 75, 76

ex: Convert $\frac{5\pi}{6}$ to degrees

$$\frac{5\pi}{6} \cdot \frac{180}{\pi} = 150^\circ$$