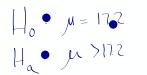


The claim that we weigh evidence against in a significance test is called the **null hypothesis** (H_0) . The claim that we are trying to find evidence for is the **alternative hypothesis** (H_a) .

The alternative hypothesis is **one-sided** if it states that a parameter is *greater than* the null value or if it states that the parameter is *less than* the null value.

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$$H_{a} \bullet \mu = 17.2$$

$$H_{a} \bullet \mu > 17.2$$

$$H_{a} \bullet \mu = 36$$

$$H_{a} \bullet \mu \neq 36$$

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The alternative hypothesis is **two-sided** if it states that the parameter is *different from* the null value (it could be either greater than or less than). 1. Are <u>you</u> college bound? The U.S. Bureau of Labor Statistics estimates that 69.7% of high school graduates enroll in a college or university. Bernard has great pride in the quality of his large high school. He thinks the proportion of college-bound students is greater for last year's graduating class.

State appropriate hypotheses for performing a significance test. Be sure to define the parameter of interest.

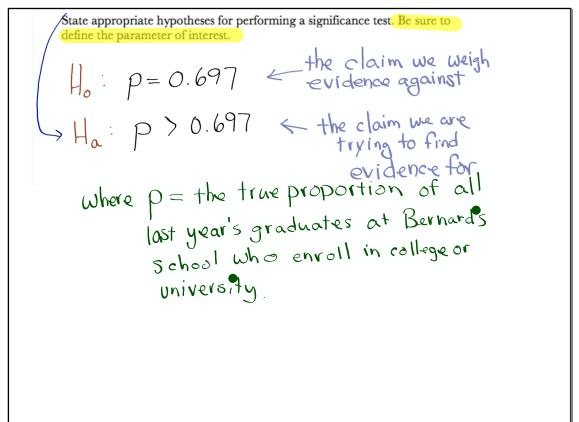
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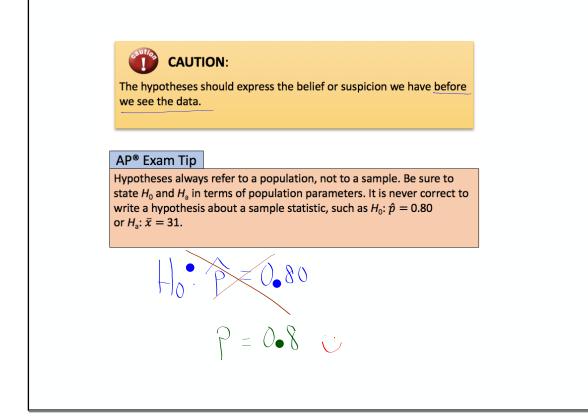
 $H_{0} = 0.697$ $H_{a} = 0.697$

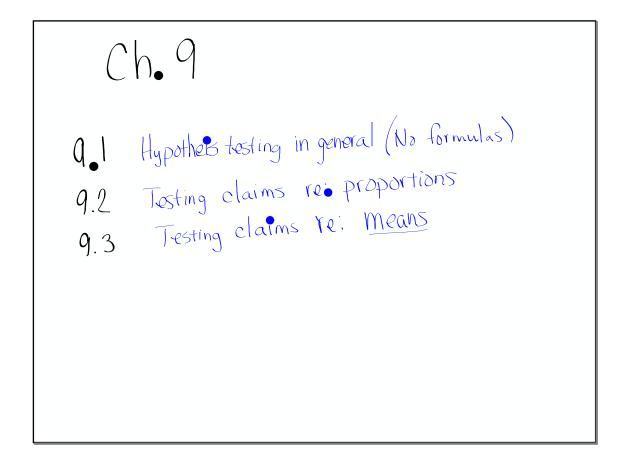
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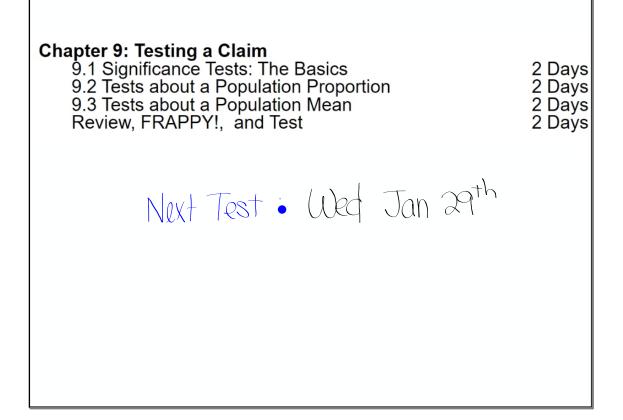


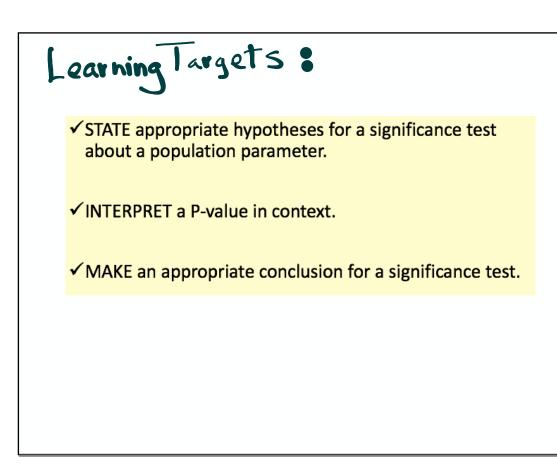
Arque with Friends

2. Argue with Friends. A Gallup poll report revealed that 72% of teens said they seldom or never argue with their friends. Yvonne wonders whether this result holds true in her large high school, so she surveys a random sample of 150 students at her school. State appropriate hypotheses for performing a significance test. Be sure to define the parameter of interest. -0- H_a : 2. Argue with Friends. A Gallup poll report revealed that 72% of teens said \neq ? they seldom or never argue with their friends. Yvonne wonders whether this result holds true in her large high school, so she surveys a random sample of 150 students at her school. State appropriate hypotheses for performing a significance test. Be sure to define the parameter of interest. $\mu_0 = 0.72$ Ha: P = 0.72 < two sided Ha











Interpreting P-Values

We'll read page 556 together



The *P***-value** of a test is the probability of getting evidence for the alternative hypothesis H_a as strong or stronger than the observed evidence when the null hypothesis H_0 is true.

Are you college bound? Part 2

The U.S. Bureau of Labor Statistics estimates that 69.7% of high school graduates enroll in a college or university. Bernard thinks the proportion of college-bound students is greater for last year's graduates from his large high school. He decides to perform a test of

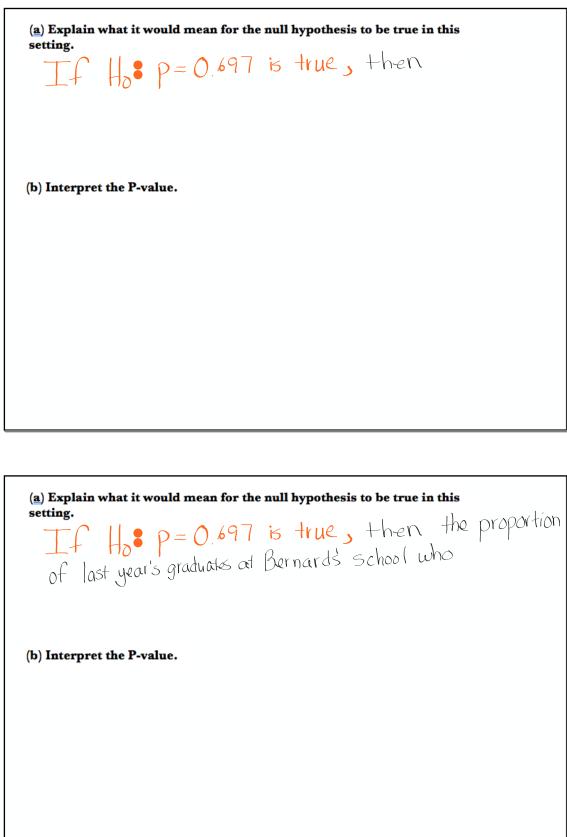
 $H_0: p = 0.697$ $H_a: p > 0.697$

where p = the true proportion of all last year's graduates at Bernard's school who enroll in a college or university. Bernard asks a random sample of 40 of last year's graduates from his high school if they are enrolled in a college or university, and 34 say "Yes." The sample proportion enrolled in a college or university is

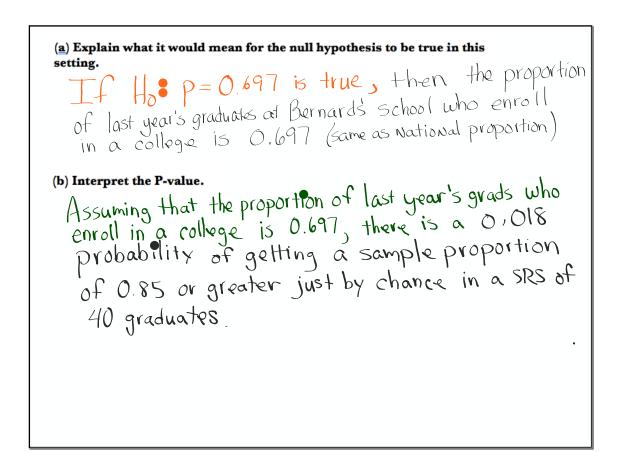
 $\hat{p} = \frac{34}{40} = 0.85$. Bernard performed a significance test and obtained a P-value of 0.018.

(a) Explain what it would mean for the null hypothesis to be true in this setting.

(b) Interpret the P-value.



(a) Explain what it would mean for the null hypothesis to be true in this setting. If Hos P=0.697 is true, then the proportion of last year's graduates at Bernard's school who enroll in a college is 0.697 (same as National proportion) (b) Interpret the P-value. Assuming that the proportion of last year's grads who enroll in a college is 0.697, there is a of



Making Conclusions

just watch for a moment

Making Conclusions

We make a decision based on the strength of the evidence in favor of the alternative hypothesis (and against the null hypothesis) as measured by the *P*-value.

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- If the observed result is not unlikely to occur by chance alone when H₀ is true (large P-value), we will "fail to reject H₀."

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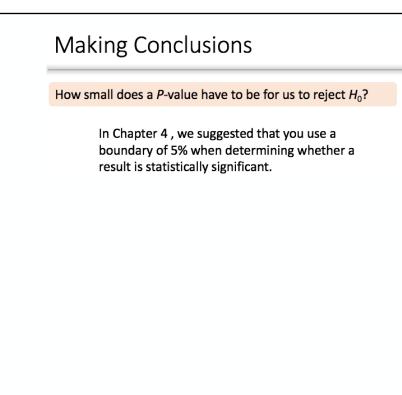
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- If the observed result is not unlikely to occur by chance alone when *H*₀ is true (large *P*-value), we will "fail to reject *H*₀."

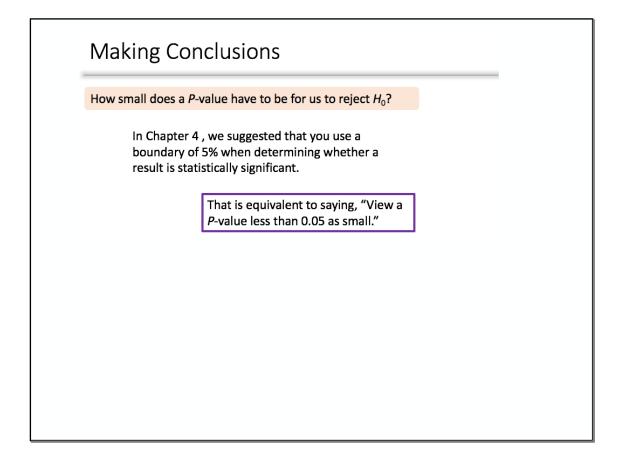
How to Make a Conclusion in a Significance Test

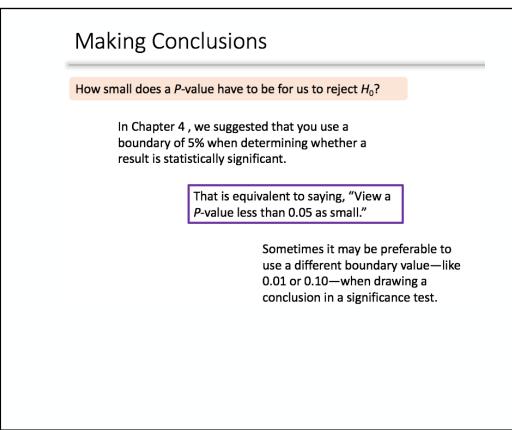
- If the P-value is small, reject H₀ and conclude that there is convincing evidence for H_a (in context).
- If the *P*-value is not small, fail to reject H₀ and conclude that there is not convincing evidence for H_a (in context).

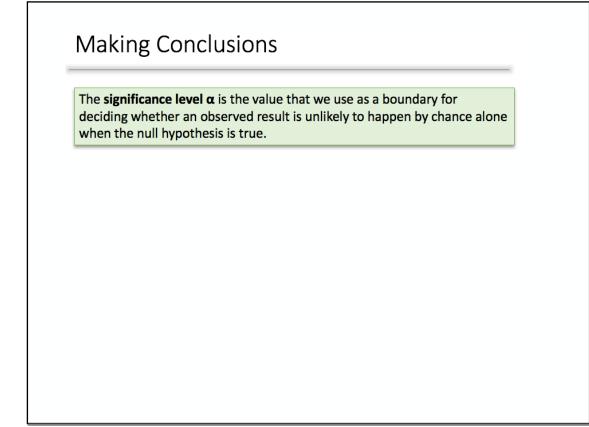
Making Conclusions

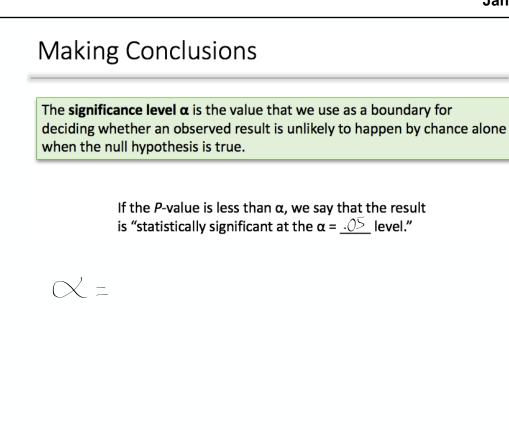
How small does a *P*-value have to be for us to reject H_0 ?

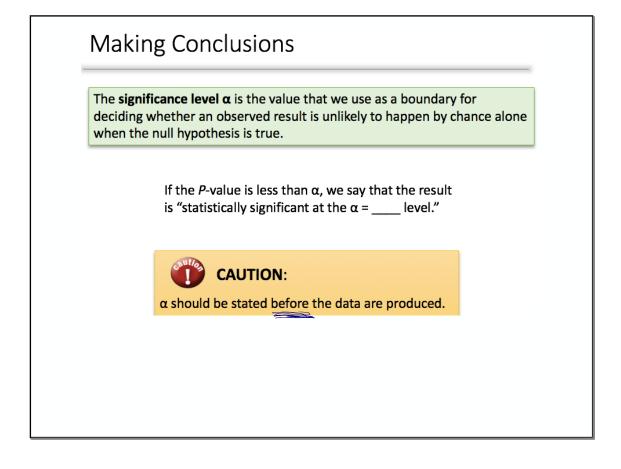






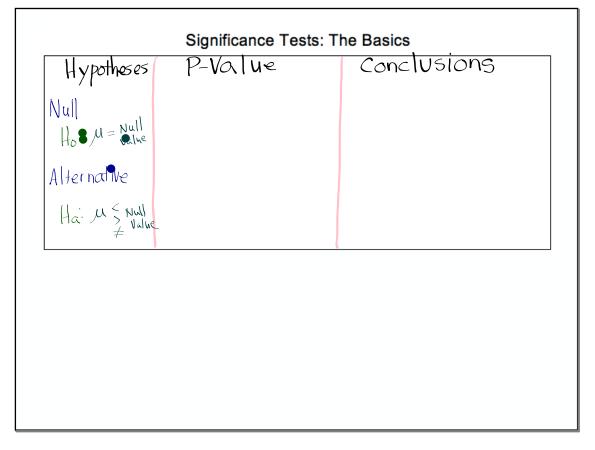


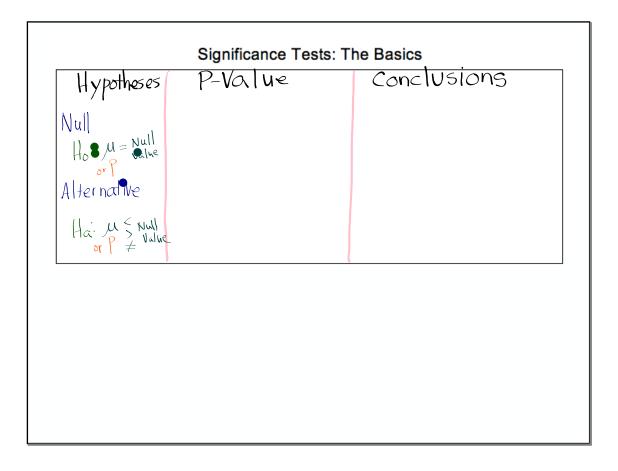


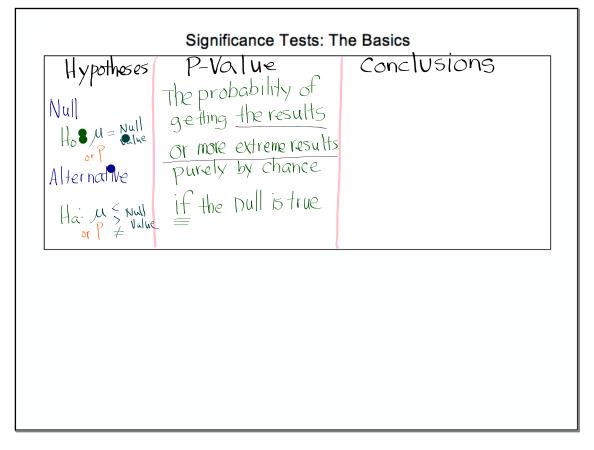


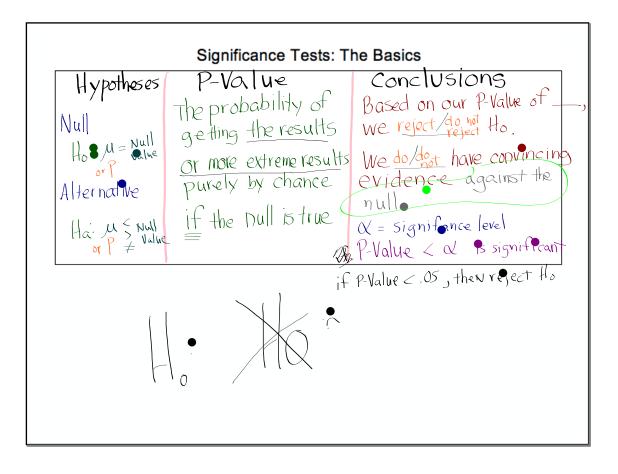
Significance Tests: The Basics			
Hypotheses	P-Value	Conclusions	

Significance Tests: The Basics			
Hypotheses	P-Value	Conclusions	
Nul			
Alternative			









Check Your Understanding

Calcium is a vital nutrient for healthy bones and teeth. The National Institutes of Health (NIH) recommends a calcium intake of 1300 milligrams (mg) per day for teenagers. The NIH is concerned that teenagers are not getting enough calcium, on average. Is this true?

1. State appropriate hypotheses for performing a significance test. Be sure to define the parameter of interest.

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1. State appropriate hypotheses for performing a significance test. Be sure to define the parameter of interest.

$$H_0: \mu = 1300 \text{ mg}$$

 $H_a: \mu < 1300 \text{ mg}$

M = true mean daily calcium intake of teens

Researchers decide to perform a test using the hypotheses stated in #1. They ask a random sample of 20 teens to record their food and drink consumption for 1 day. The researchers then compute the calcium intake for each student. Data analysis reveals that $\bar{x} = 1198$ mg and $s_x = 411$ mg. Researchers performed a significance test and obtained a P-value of 0.1404.

2. Explain what it would mean for the null hypothesis to be true in this setting.

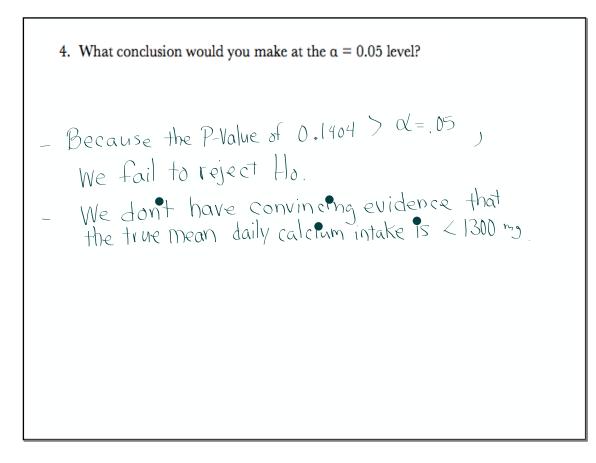
3. Interpret the P-value.

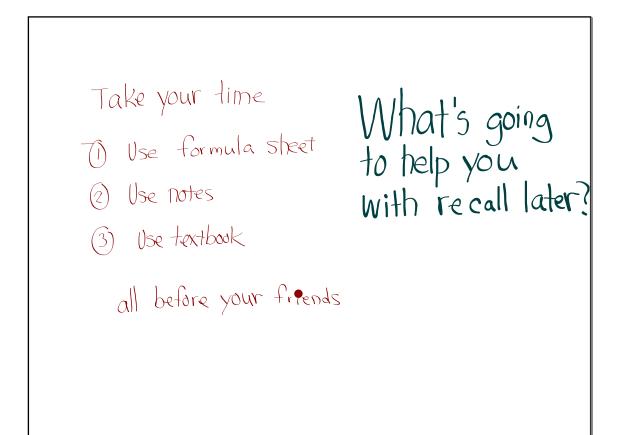
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9.1 1-9 (odds), 13-15, 19

study pp. 554-560

