

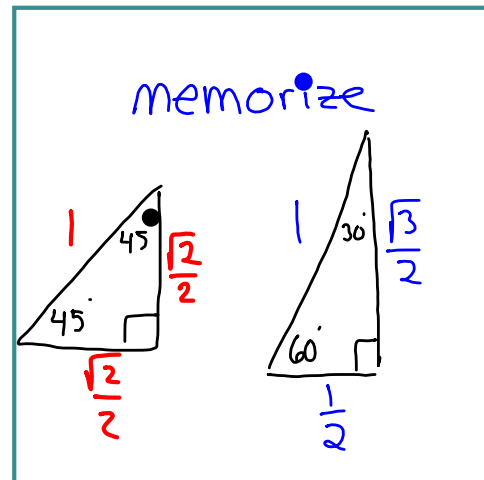
Warm Up #1

In your notes, write down the following and put a box around it:

HW Help →

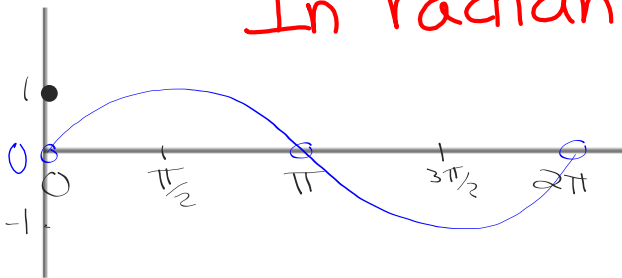
Warm Up #2

Pick up the Six Question Warm Up.



- 1) Sketch and label one cycle of a sine function. Label the θ axis with radians, not degrees. Label the y-axis (also known as the sin (θ) axis). Lastly, list the θ axis intercepts.

In radians



θ axis intercepts 0
 π
 2π

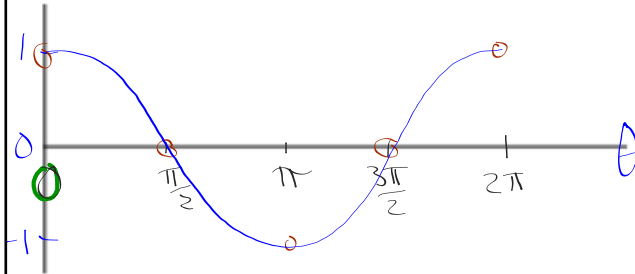
general $\theta =$

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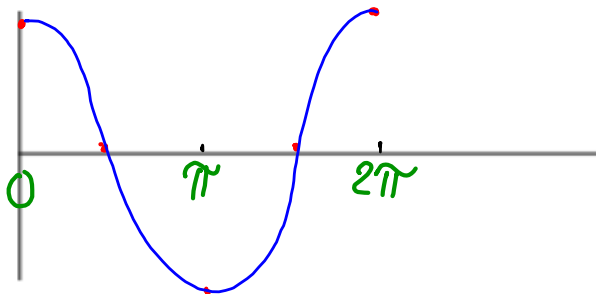
2) Sketch and label one cycle of a cosine function. Label the θ axis with radians. Label the y-axis (also known as the **cos** (θ) axis in this case). Lastly, list the θ axis intercepts.

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θ axis intercepts $\frac{\pi}{2}$ and $\frac{3\pi}{2}$

Sketch and label one cycle of a cosine function. Label the θ axis with radians. Label the y-axis (also known as the **cos** (θ) axis in this case). Lastly, list the θ axis intercepts.



θ axis intercepts $\frac{\pi}{2}$
 $\frac{3\pi}{2}$

3.

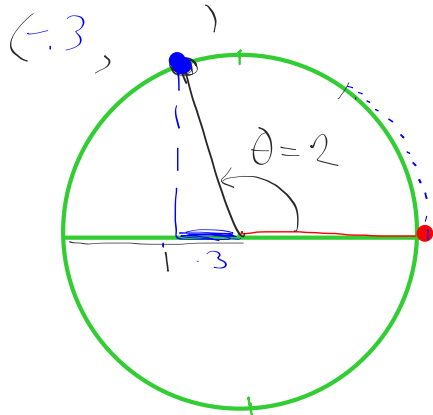
$$\cos 2 = -.416$$

radian
mode

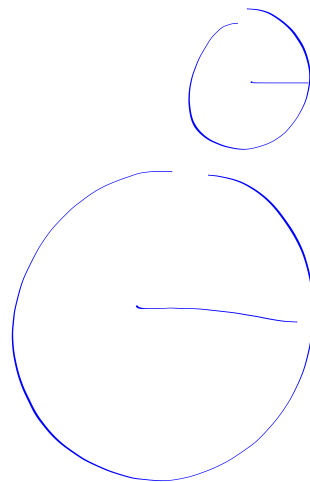
$$\cos 2^\circ = .999$$

degree
mode

4) Sketch 2 radians on a unit circle (not 2π radians). Just by using your sketch, estimate the $\cos 2$ and see if it agrees with your answer to #3 above.



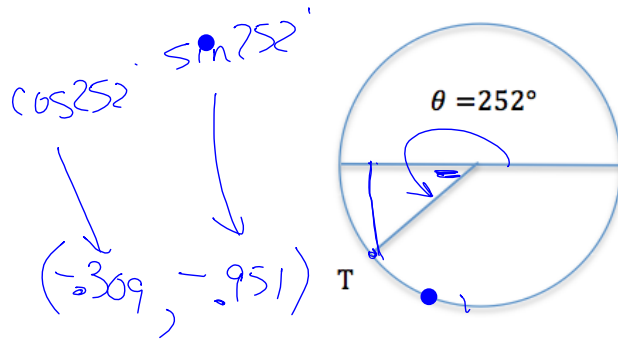
$$\cos 2 = (-.416)$$



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5) Quickly find the approximate coordinates of point T accurate to three decimal places



Add #6

Assume that you know angle θ in quadrant III and you know that $\cos \theta = -\frac{4}{5}$

Without using a calculator, find $\sin \theta$. [hint: Use the Pythagorean Identity]

$$\left[-\frac{4}{5}\right]^2 + \sin^2(\theta) = 1$$

$$\sqrt{\frac{9}{25}}$$

$$\frac{16}{25} + \sin^2(\theta) = \frac{25}{25}$$

$$\sin^2(\theta) = \frac{9}{25}$$

$$\sin \theta = \pm \frac{3}{5}$$

$$\sin(\theta) = -\frac{3}{5}$$

HW QUESTIONS

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82a $y = \frac{3x^2}{3} - \frac{18x}{3} + \frac{26}{3}$

$y = a(x-h)^2 + k$

$\frac{y}{3} - \frac{26}{3} + 9 = x^2 - 6x + 9$

$\frac{y}{3} - \frac{26}{3} + 9 = (x-3)^2$

multiply by 3

$y - 26 + 27 = 3(x-3)^2$
y+1

$y = 3(x-3)^2 - 1$

Vertex
(3, -1)

X=3 axis of symmetry

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a) $\left. \begin{array}{l} \sin(60^\circ) \\ \sin\left(\frac{\pi}{3}\right) \end{array} \right\} \text{same!}$

b) $\sin\left(\frac{\pi}{4}\right) =$
 $\sin(?) =$

$$\boxed{78} \quad a) \sin\left(\frac{\pi}{4}\right) \approx$$

$$b) \sin\left(\frac{2\pi}{3}\right) \approx$$

$$\boxed{79} \quad a) x(x-1)(x-3) = 0$$

$$\begin{array}{ccc} \swarrow & \downarrow & \searrow \\ x=0 & x-1=0 & x-3=0 \end{array}$$

$$x=1 \quad x=3$$

$$x=0 \quad x = \frac{1}{2}$$

$$b) 2x^3 + x^2 - 3x = 0$$

Solutions: $x = 0$

$$x = \frac{1}{2}$$

$$x = 3$$

$$\boxed{80 a} \quad 5^x = 72$$

short way

longer (but valid) method.

$$80 c \quad 3^{2x+4} = 17$$

shorter

$$2x+4 = \log_3(17)$$

$$2x+4 = \frac{\log(17)}{\log(3)}$$

$$2x = \frac{\log 17}{\log 3} - 4$$

$$x = \frac{1}{2} \left(\frac{\log 17}{\log 3} \right) - \frac{1}{2}(4)$$

83 a

$$171 = 3(5^x)$$

b

$$171y = 3(x^5)$$

divide by 3

$$\frac{171y}{3} = x^5$$

$$57y = x^5$$

take 5th root

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$$y = 2\sqrt{\frac{x-3}{4}} + 1$$

domain $x \geq 3$
range $y \geq 1$

$$x = 2\sqrt{\frac{y-3}{4}} + 1$$

domain $x \geq 1$
range

$$x-1 = 2\sqrt{\frac{y-3}{4}}$$

$$\frac{x-1}{2} = \sqrt{\frac{y-3}{4}}$$

$$\frac{x-1}{2} = \sqrt{\frac{y-3}{4}}$$

domain:
 $x \geq 1$

$$\left(\frac{x-1}{2}\right)^2 = \frac{y-3}{4}$$

$$\frac{(x-1)^2}{2^2} = \frac{y-3}{4}$$

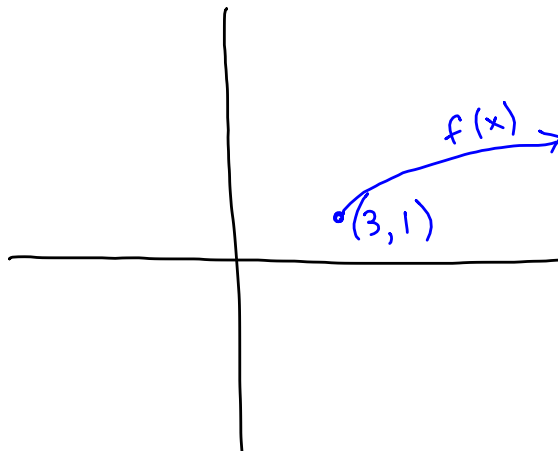
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$$\frac{(x-1)^2}{2^2} = \frac{y-3}{4}$$

$$\cancel{4} \frac{(x-1)^2}{\cancel{4}} = y-3$$

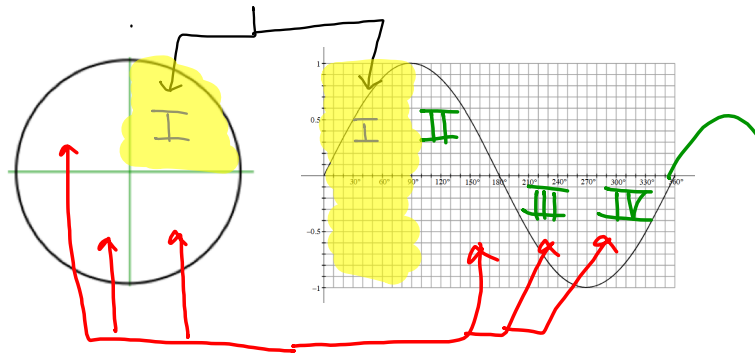
$f'(x) =$
limited to



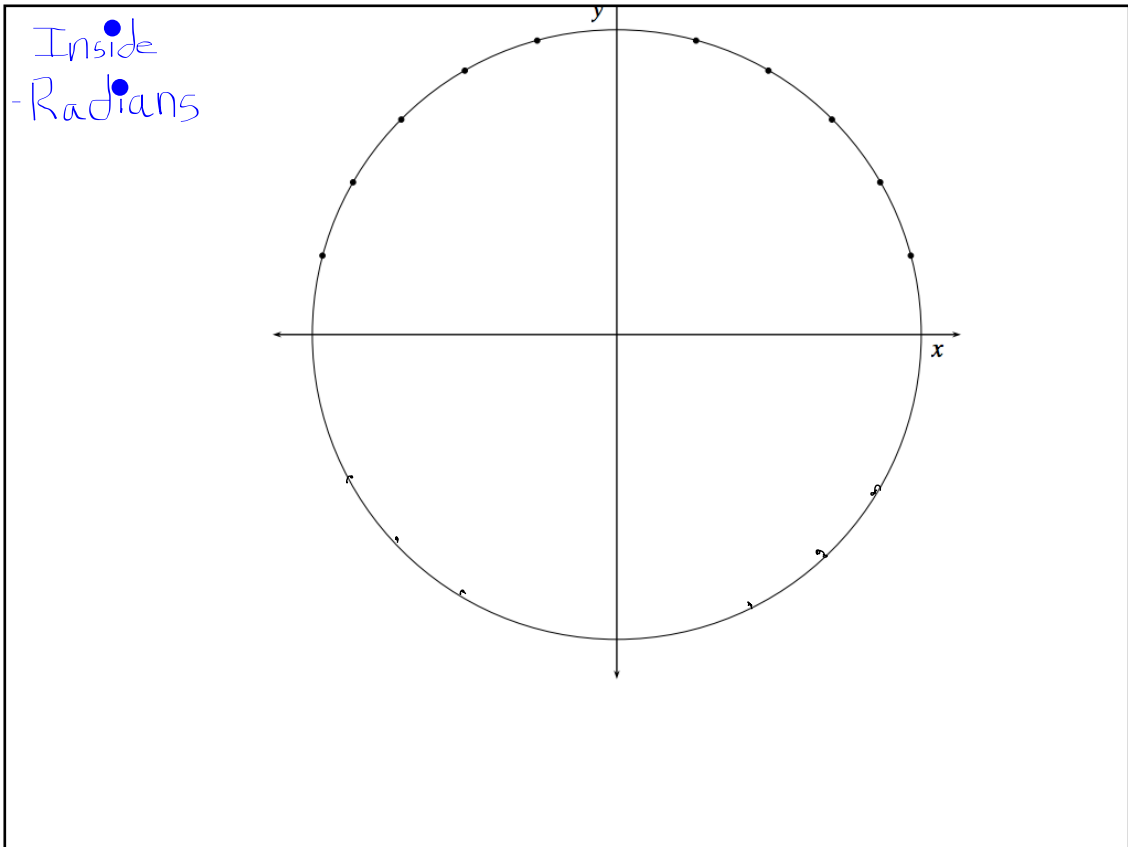
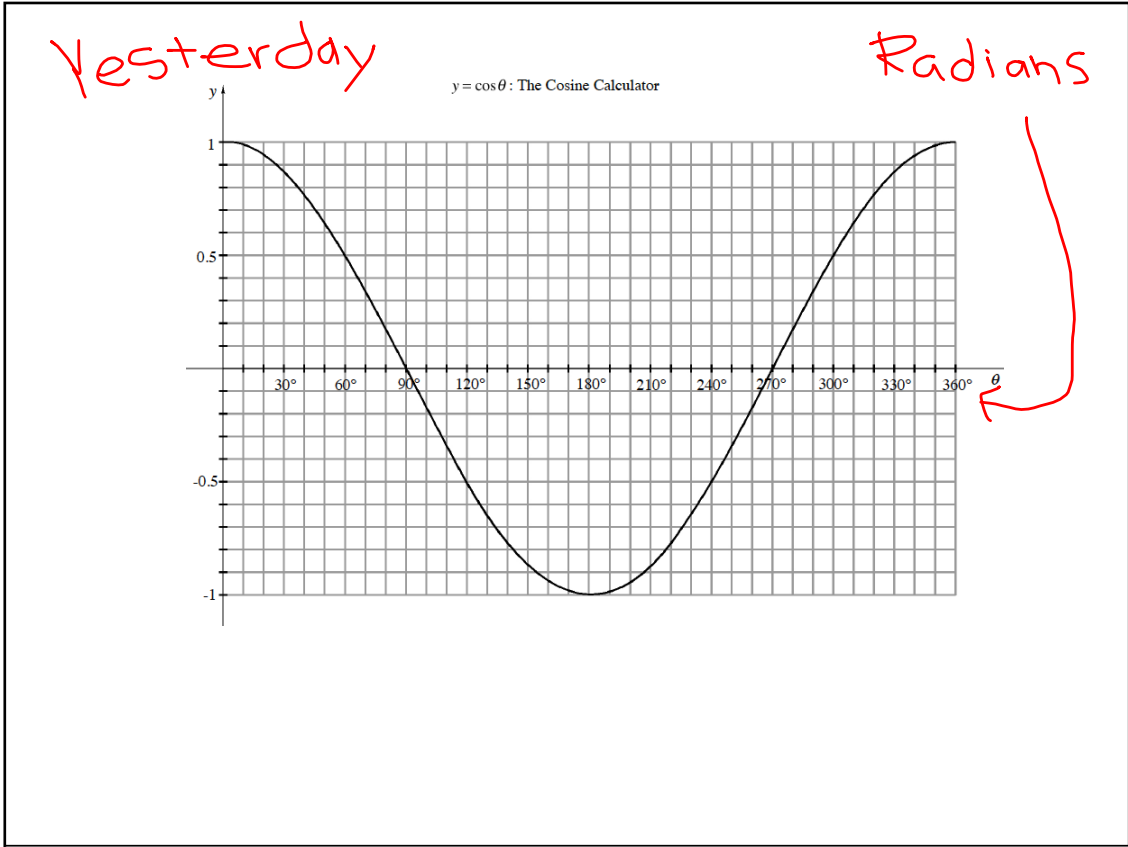
Last class



Information here



Tells us a lot about

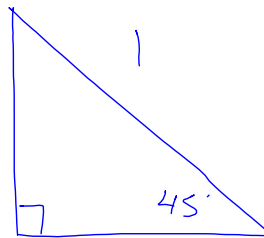
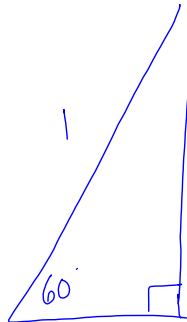
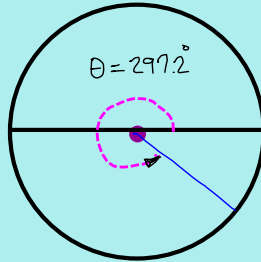
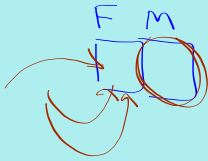


AIM

$\cos(30^\circ) =$

Find the exact values of sine and cosine from a unit circle.

$\cos(3.5) =$



Memorize

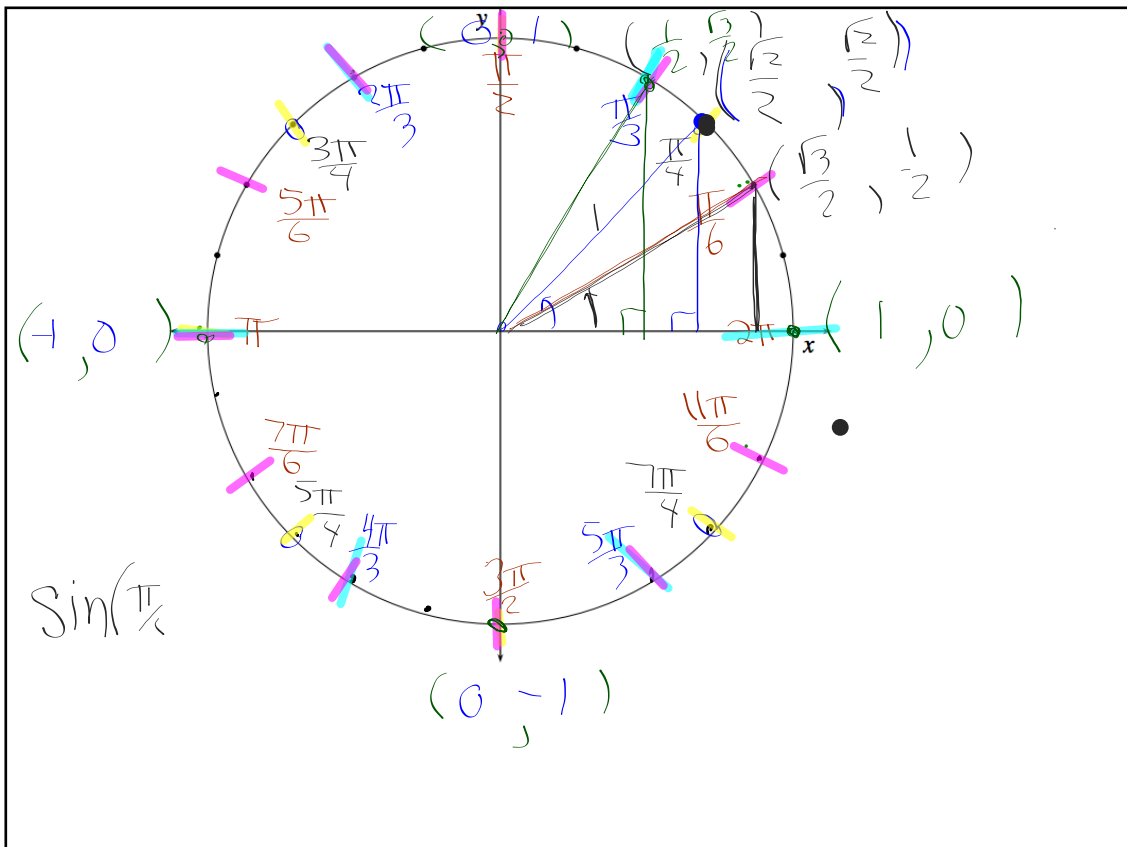
and

There are an infinite number of 30-60-90 triangles. There is a reason I am having you memorize the one with a radius of 1.

$\cos(60^\circ) = \frac{1}{2}$
 $\sin(60^\circ) = \frac{\sqrt{3}}{2}$
 ~~$\sin(30^\circ) = \frac{1}{2}$~~

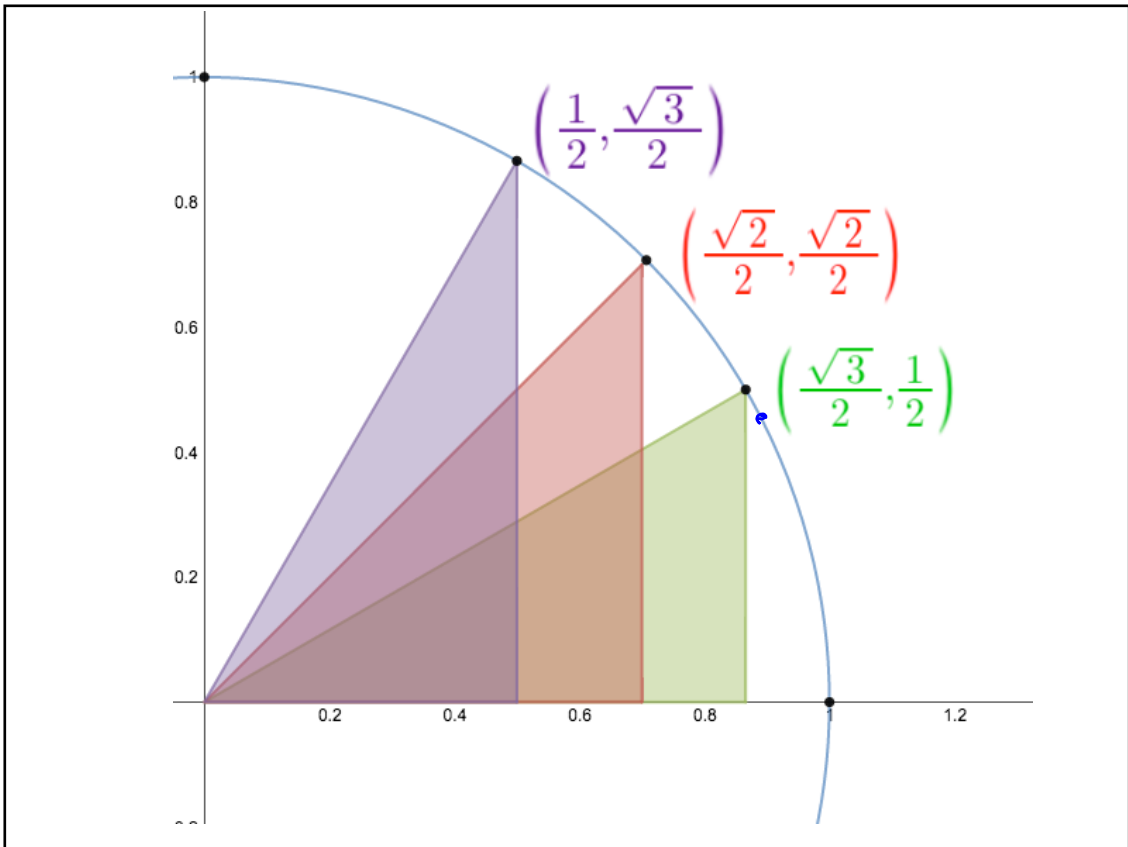
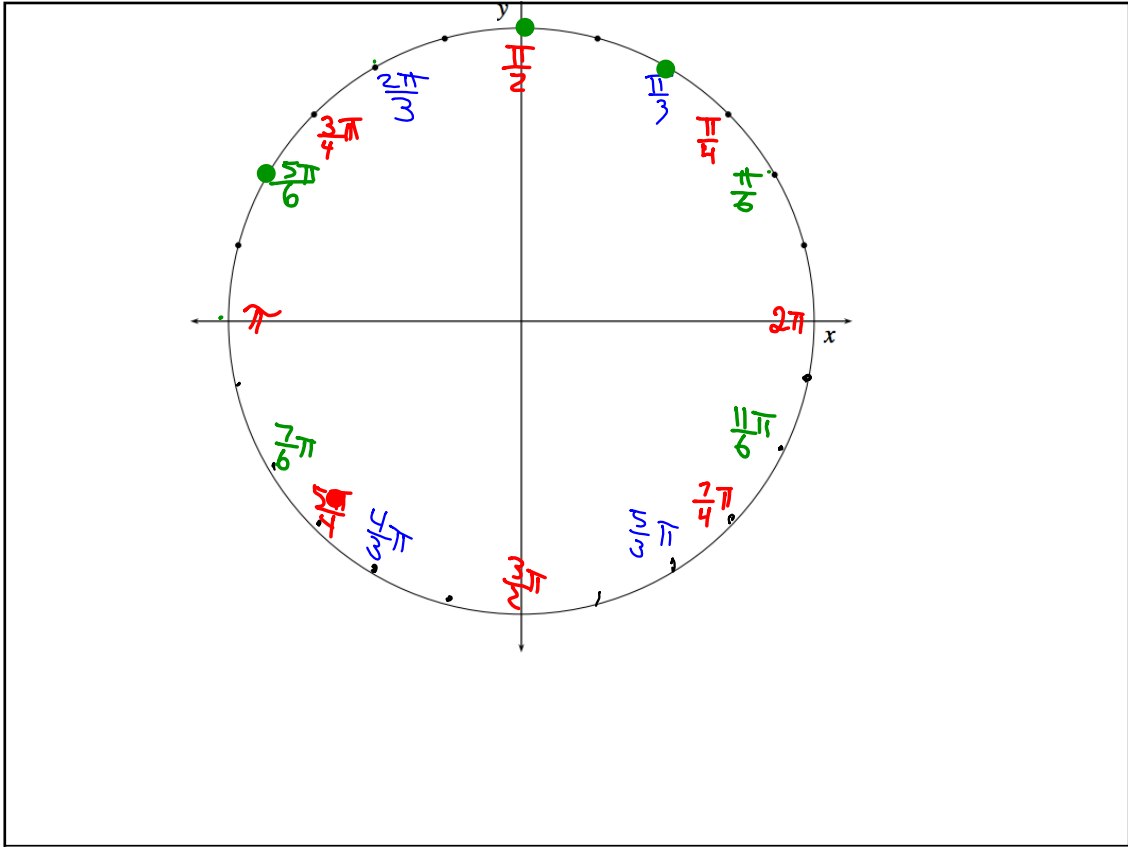
TASK

Find all of the other Quadrant 1 exact coordinates, if possible

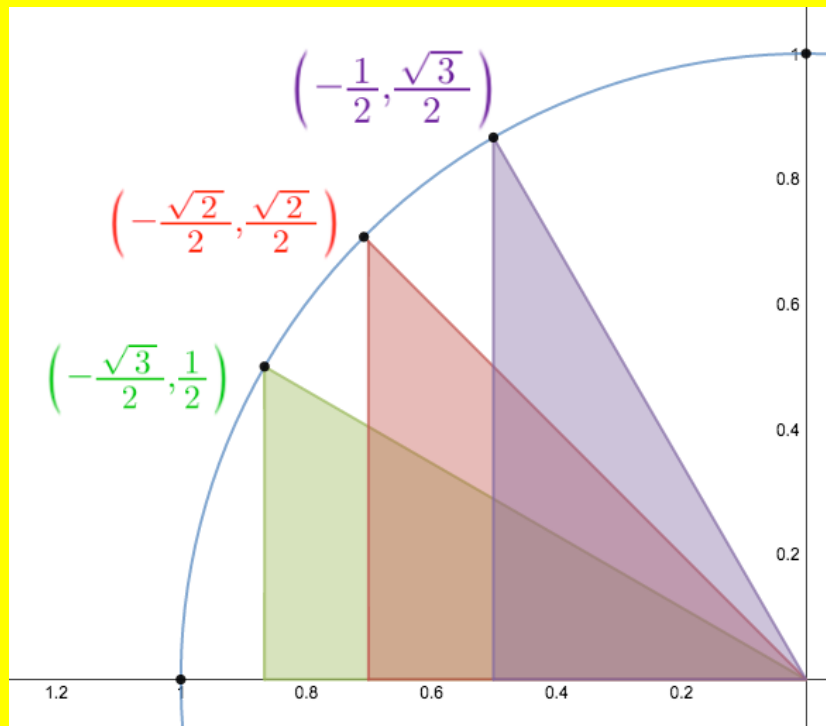


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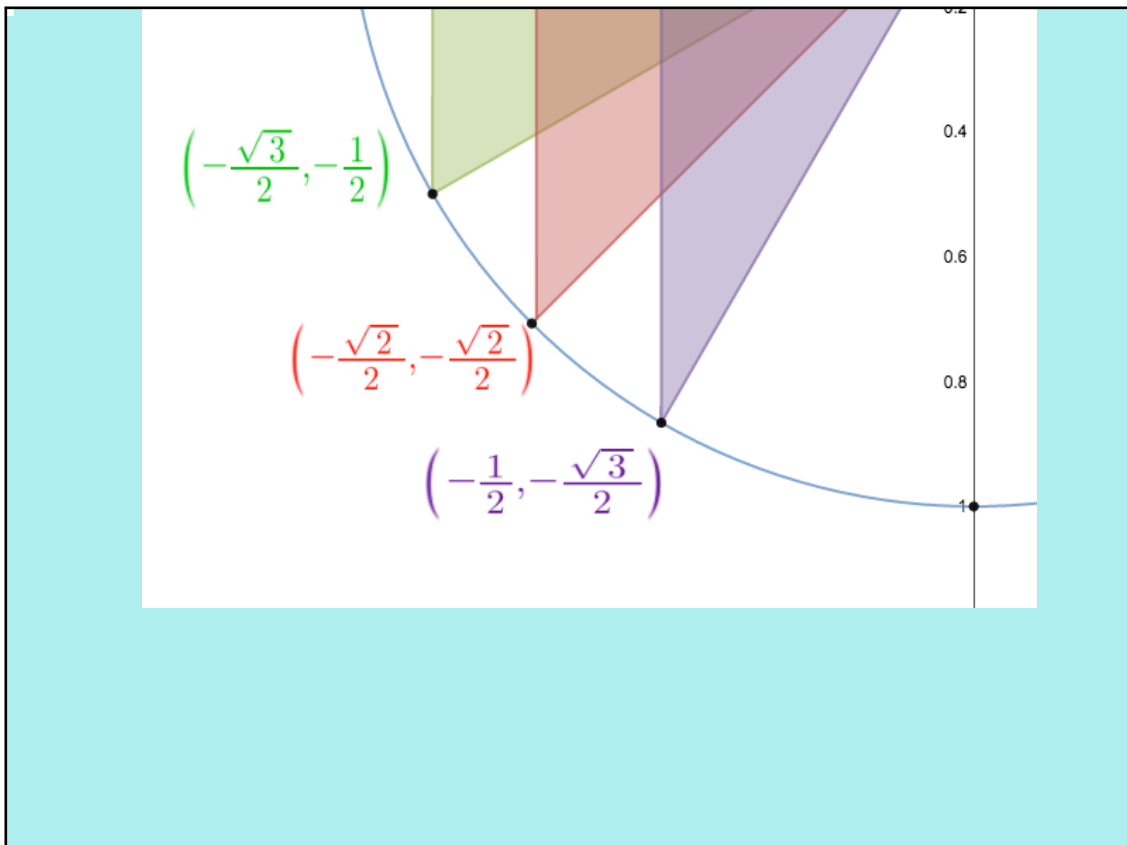


Find all exact coordinates possible in Quadrant 2



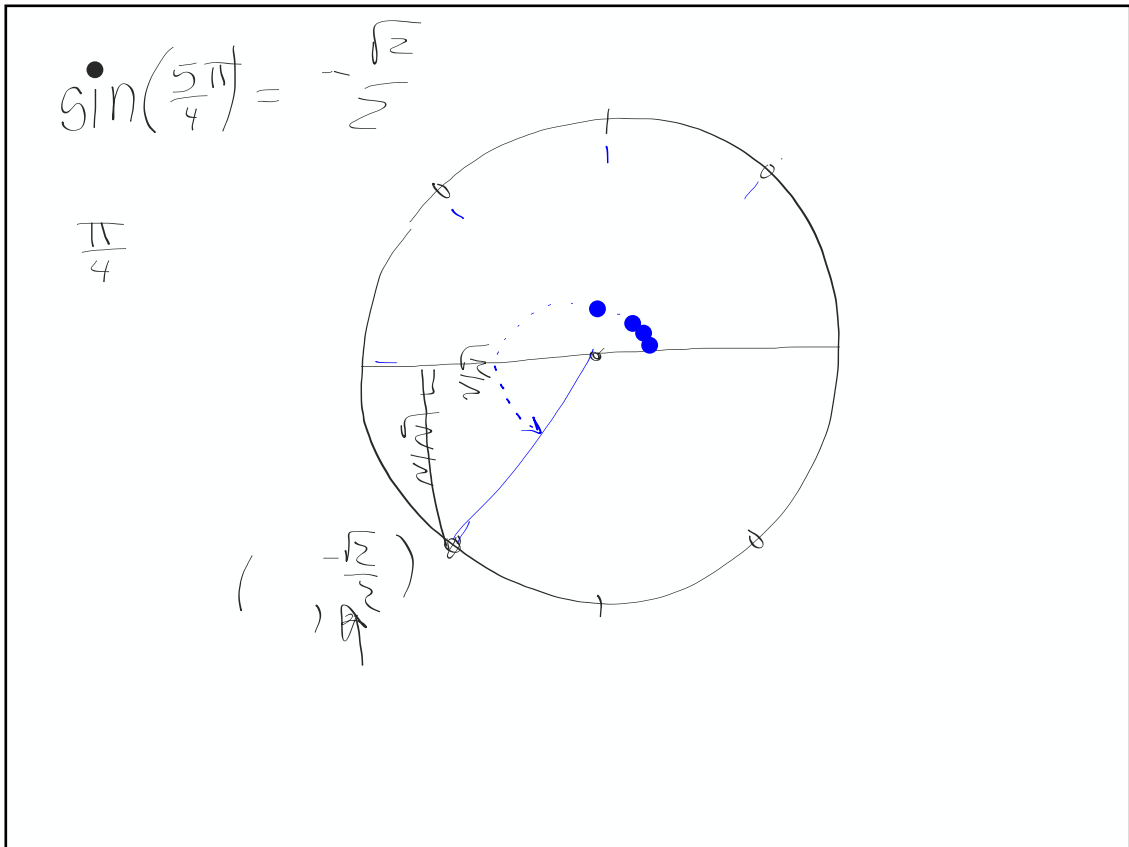
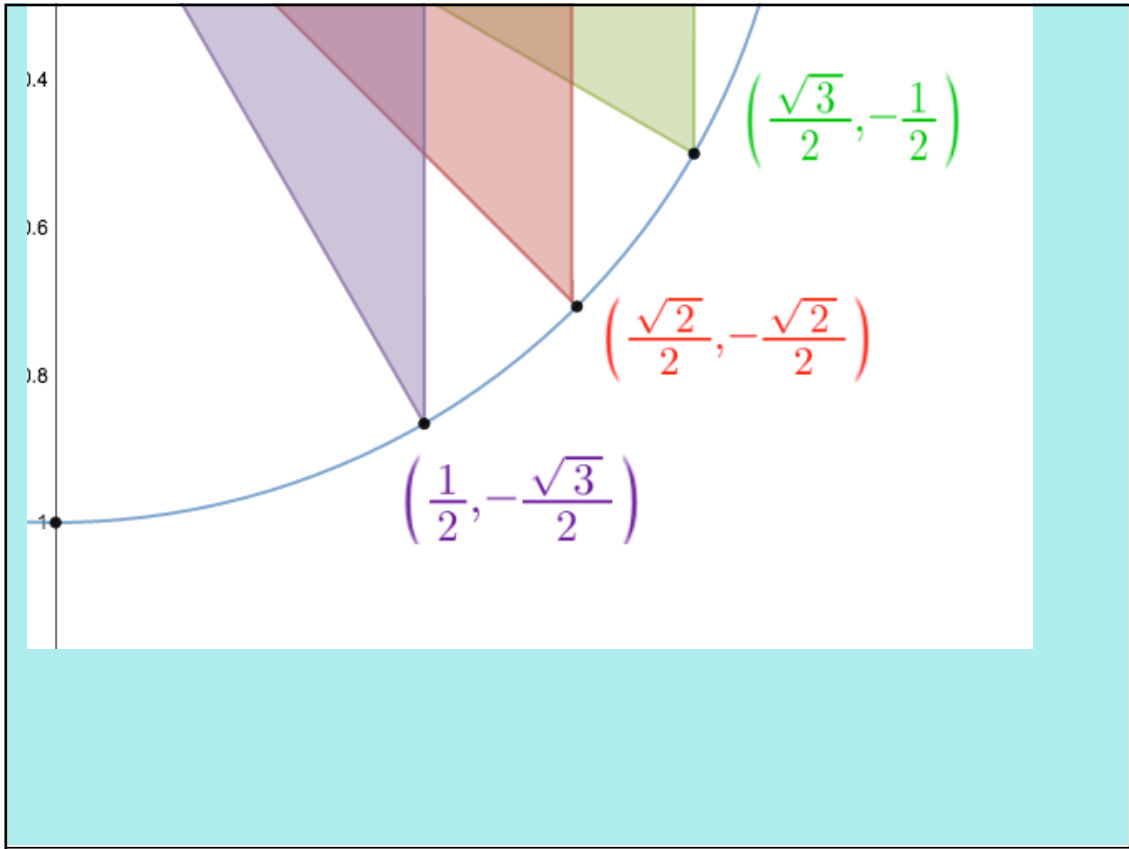
Find all exact coordinates possible in

Quadrants 3 and 4



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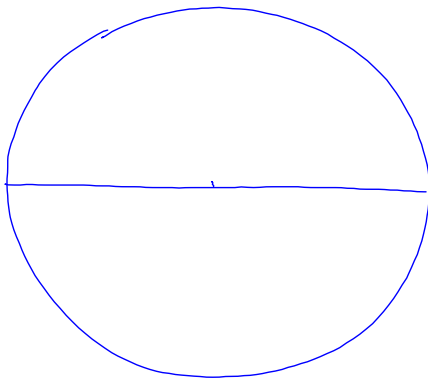
NOTES

7-88

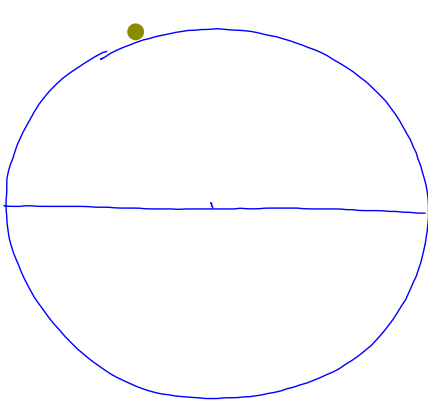
together

7-88. Draw a new unit circle, label a point that corresponds to a rotation of $\frac{\pi}{12}$, and put your calculator in radian mode.

- a. What are the coordinates of this point, correct to two decimal places?



a. What are the coordinates of this point, correct to two decimal places?



$$\begin{array}{l} \swarrow \cos\left(\frac{\pi}{12}\right) \quad \searrow \sin\left(\frac{\pi}{12}\right) \\ (.97, .26) \end{array}$$

$$(i) \sin\left(-\frac{\pi}{12}\right) \approx$$

$$(ii) \cos\left(\frac{13\pi}{12}\right) \approx$$

$$(iii) \cos\left(\frac{7\pi}{12}\right) \approx$$

b. Use the information you found in part (a) to determine each of the following values: (Hint: Drawing each angle on the unit circle will be very helpful.)

i. $\sin\left(-\frac{\pi}{12}\right) \approx$

ii. $\cos\frac{13\pi}{12} \approx$

iii. Challenge: $\cos\frac{7\pi}{12} \approx$

7-89

together

7-89. For angle α in the first quadrant, $\cos \alpha = \frac{8}{17}$. Use that information to find each of the following values without using a calculator. Be prepared to share your strategies with the class.

a. $\sin \alpha$

Use the Pythagorean Identity.

b. $\sin(\pi + \alpha)$

c. $\cos(2\pi - \alpha)$

LCQ

Assignment:

Worksheet "Assignment 7.1.6"

- do both sides
- on the back, try it without looking at your notes.