# Pick up the Warm up

If you have not taken the Ch. 6 test,

take your warm up and do it out in the

hallway.



Look at Ch. 6 test\_results

Correct homework

1) 
$$28 = 7^{t+9} - 5$$
  
 $\log 33 = \log 7^{t+9}$   
 $\log 33 = (t+9) \log 7$   
 $1 \log 7$   
 $1 \log 7$   
 $1 \log 7$ 

2) 
$$ln_e 8.5 = 2.14$$

$$e^{2.14} = 8.5$$

3) 
$$f(x) = 5x + 2$$
  
 $g(f(2)) =$   
 $f(2) = 5(2) + 2$   
 $f(2) = 12$   
 $g(12) = 12^{2} - 3$   
 $= |4|$ 

$$g(x) = x^{2} - 3$$

$$f(g(a)) =$$

$$g(a) = 2^{2} - 3$$

$$g(2) = 1$$

$$f(4) = 5(1) + 2$$

$$f(g(2)) = 7$$

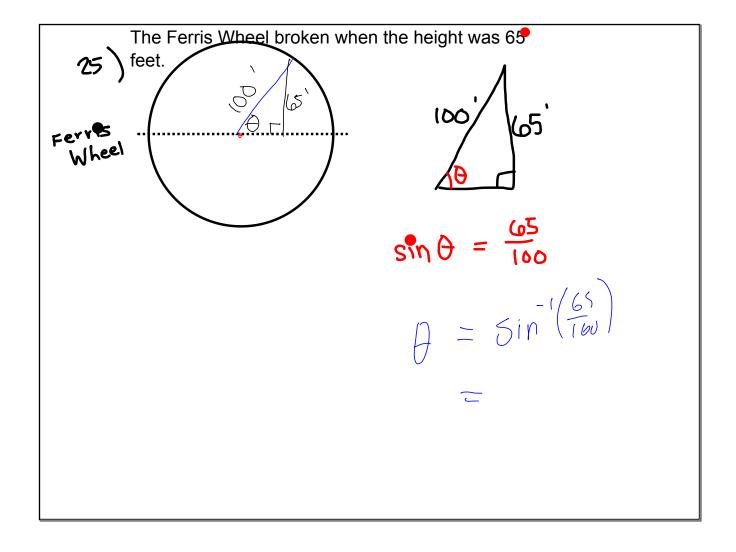
HW Questions?



### domain of $y = \sin \theta$

depends on if the Ferris Wheel is part of the thinking

0 36



$$\frac{13^{12}}{14^{23}} \cdot \frac{27^3}{13^{11}} \cdot \frac{2^{10}}{27^4} \cdot \frac{14^{22}}{13} \cdot \frac{27}{29}$$

$$\frac{13^{12}}{13^{12}} \cdot \frac{27^3}{27^4} \cdot \frac{2^{10}}{27^4} \cdot \frac{14^{22}}{13} \cdot \frac{27}{29}$$

$$\frac{13^{12}}{13^{12}} \cdot \frac{27^3}{27^4} \cdot \frac{27^4}{27^3} \cdot \frac{27^4}{14} \cdot \frac{27^2}{14}$$

$$\frac{2}{14} = \frac{1}{7}$$

(28) Graph the system 
$$[+X-y \ge 3x-2y-4]$$
  
 $y < 2x^2+1$ 

$$y = 3x^{2} - 24x + 55$$

$$y = 3(x^{2} - 8x) + 55$$

$$y = 3(x^{2} - 8x + 16) + 55 - 16$$

$$y = 3(x^{2} - 8x + 16) + 39$$

$$y = 3(x - 4)^{2} + 39$$

$$y = 3(x - 4)^{2} + 39$$

$$y = 3(x - 4)^{2} + 39$$

$$y+3 = 8x^2 - 10x$$

$$(0, 1)$$

$$(x-intercept)$$

$$(0, 0)$$

(32)

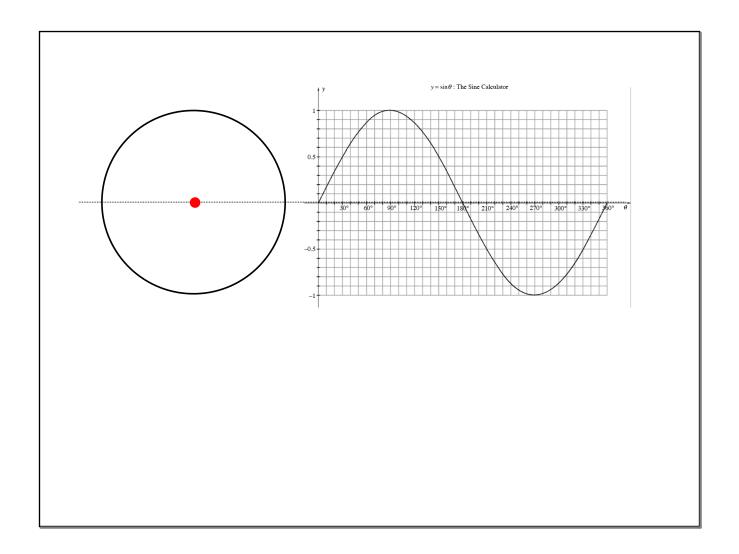
Mary has an antique marble collection containing 40 marbles.

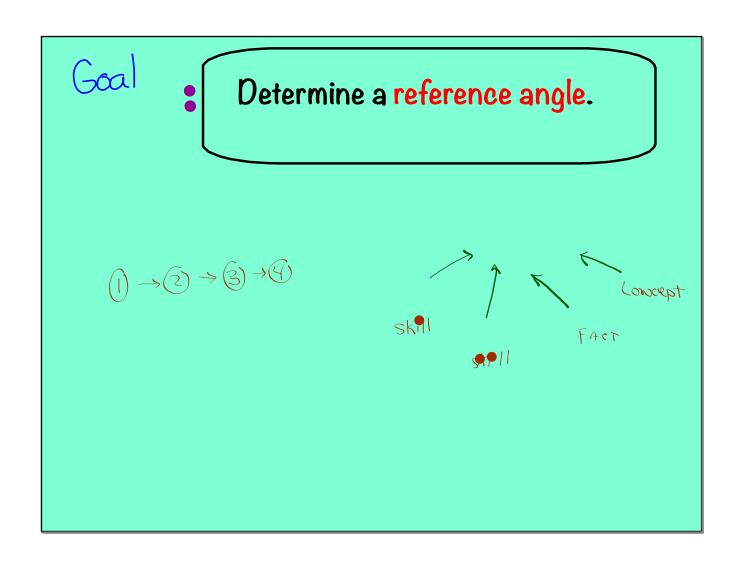
She has five more red marbles than blue

twice as many red as green marbles.

beles.
$$C = b + 5$$

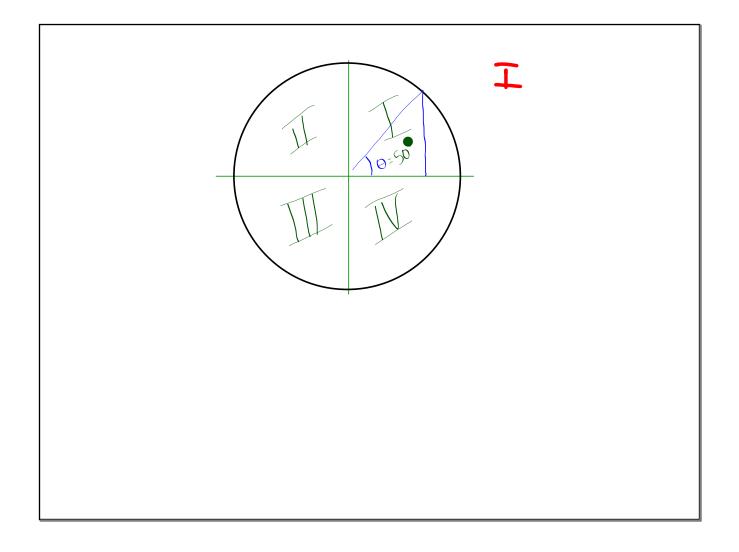
$$b = C - 5$$



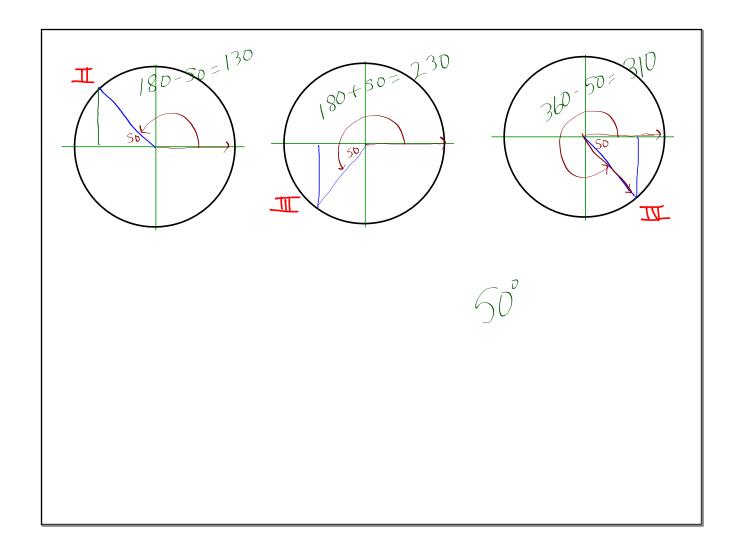


## Notes: Reference Angles

Every point on the Unit Circle is linked with one reference angle which is..... an angle formed between the radius drawn from the origin to that point and the horizontal axis.

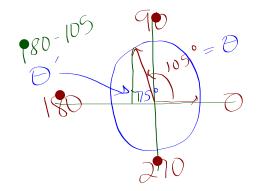


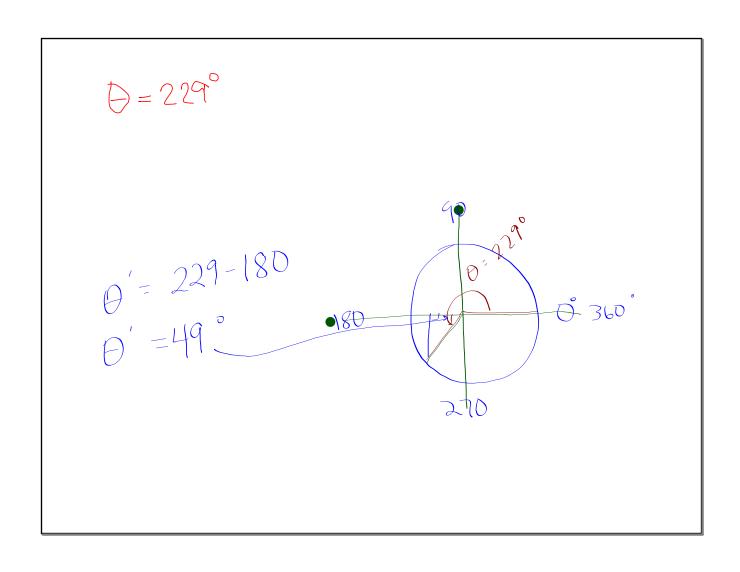
- 1. On circle I
- 2. Pretend you were a rider that got stuck on the Ferris Wheel. Mark a random point <u>on</u> the circle <u>in the first quadrant</u> to show where you got stuck.
- 3. Draw the height (to show how far you would climb down to get off)
- 4. Draw the triangle (with an rotation angle from )

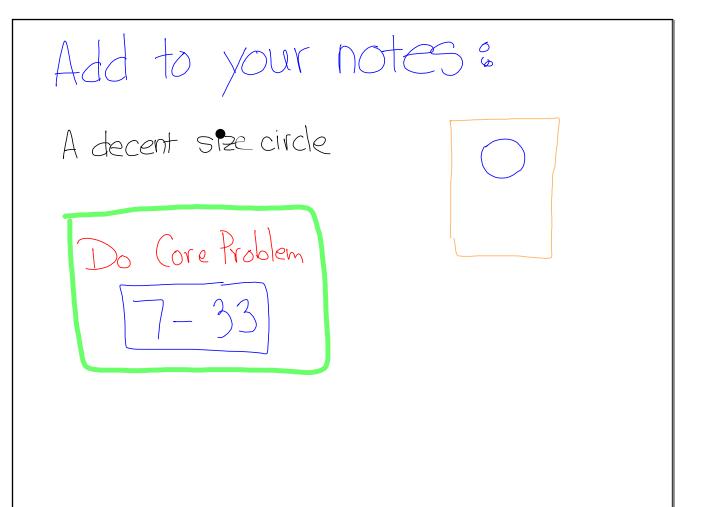


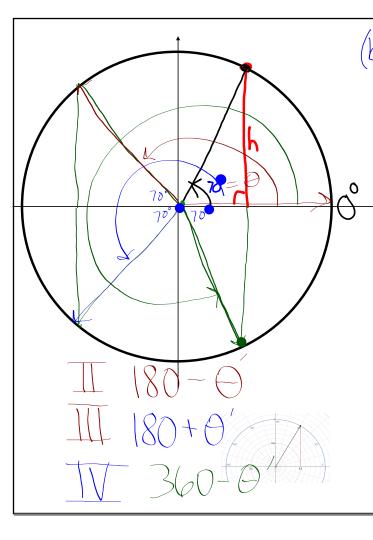
#### **NOTES**

Determine the Size of a reference angle for a rotation of









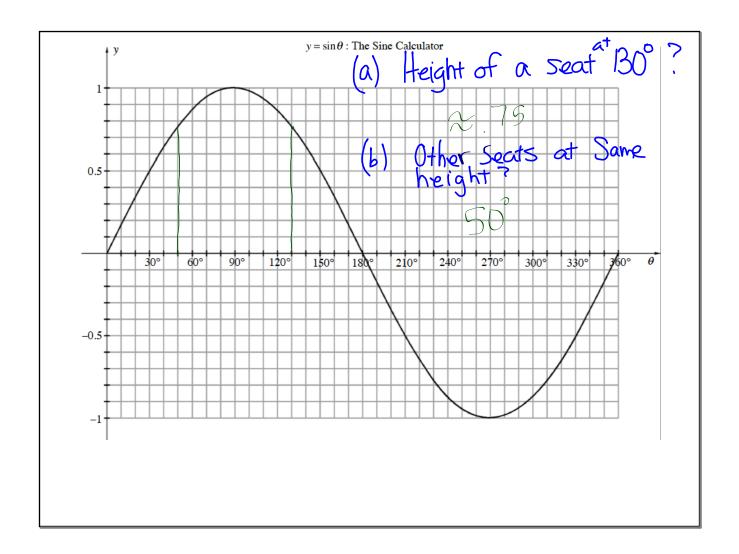
Did any other riders have the exact same climb?
What were the rotation angles to those points?

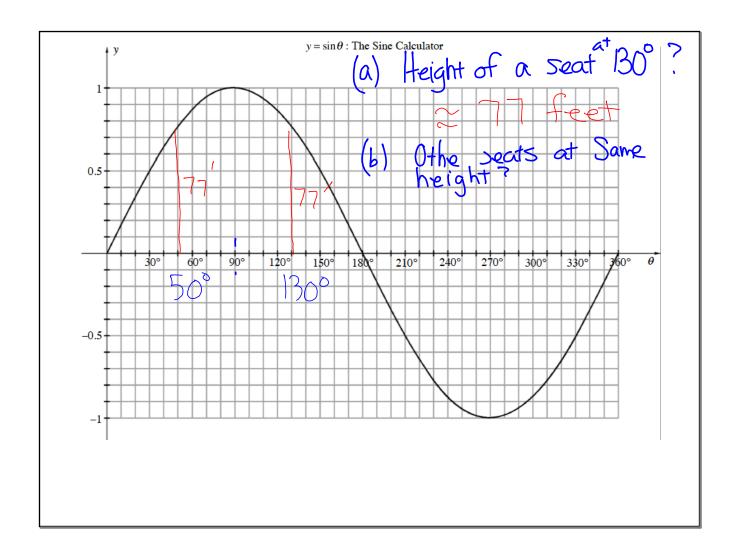
Draw the corresponding triangles

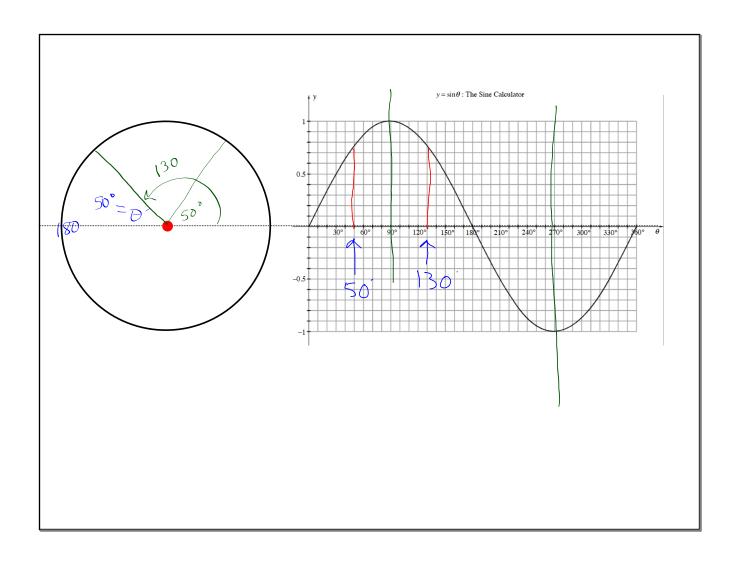
(c) What is the relationship between these four triangles?

They all have the same size reference angle. on the worksheet

(half sheet - tan)







flow can symmetry help?

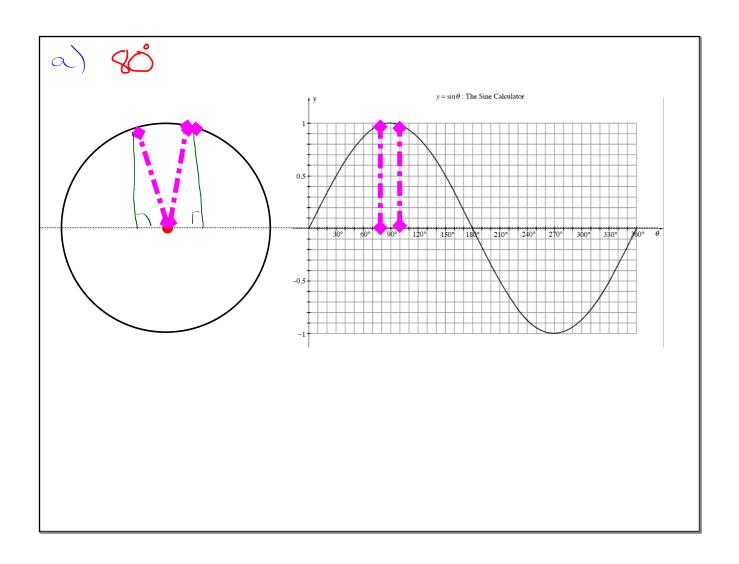
The graph is symmetrical around two vertical Ines

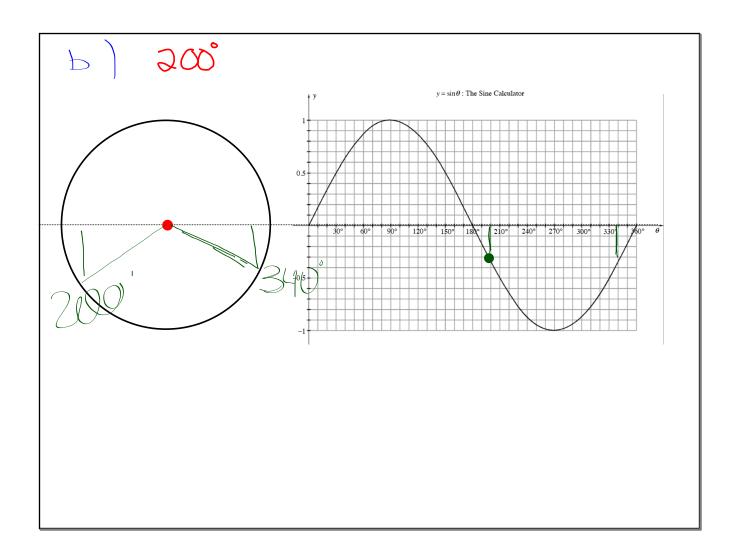
Q = 90° and Q = 270°

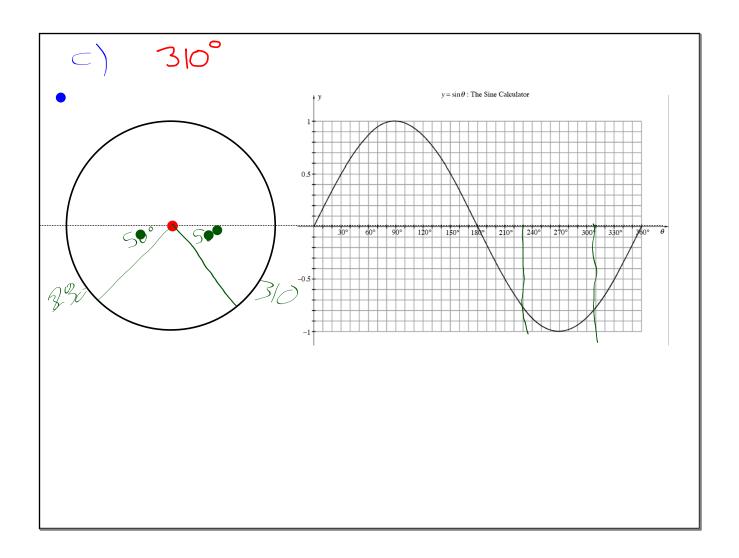
### **Using the same graph**

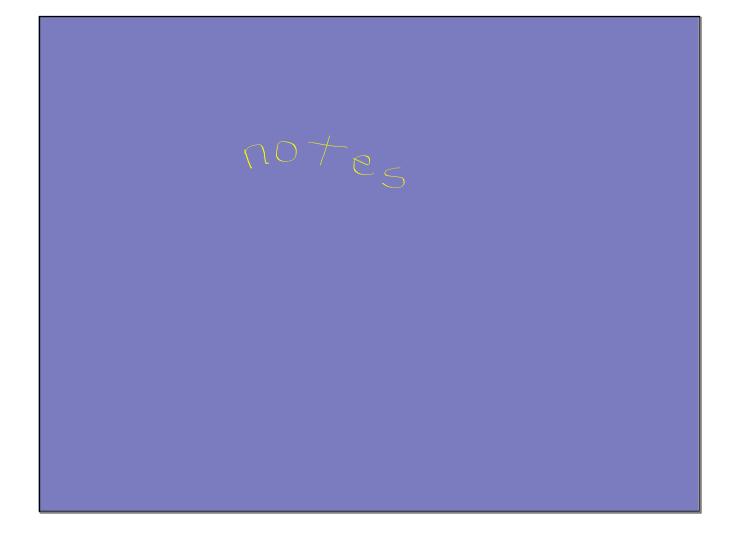
Find a second angle that produces the same height as the angle

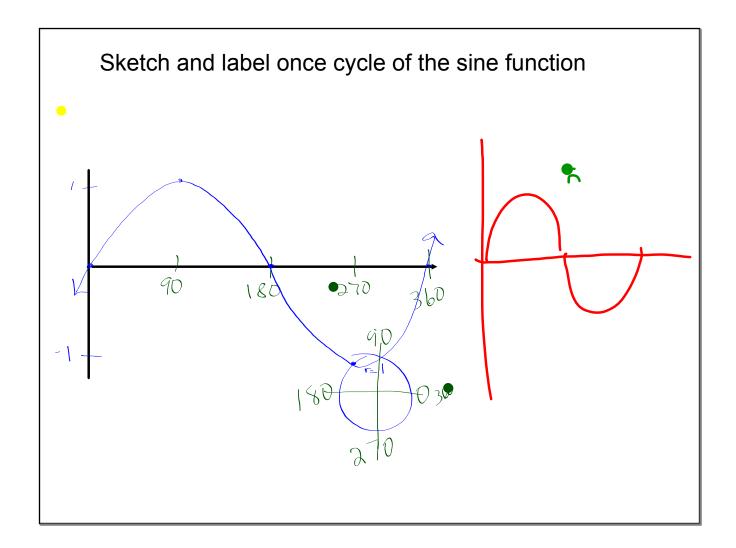
3 people/pairs will be Selected to illustrate.

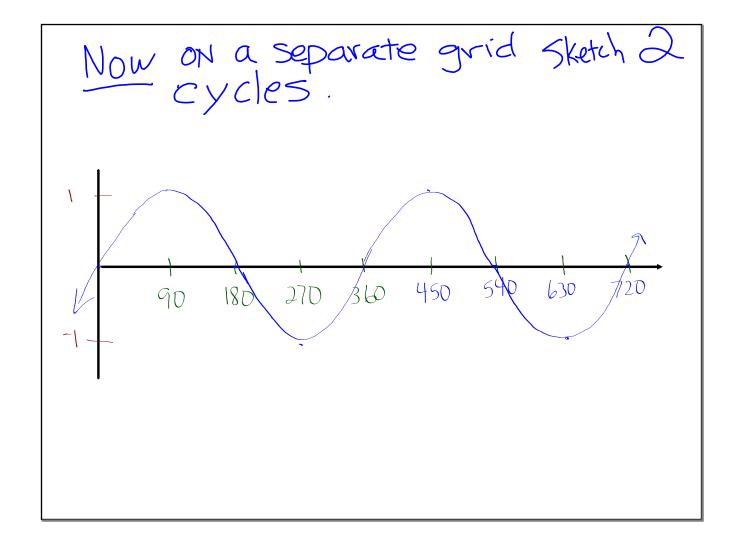








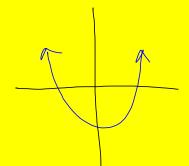


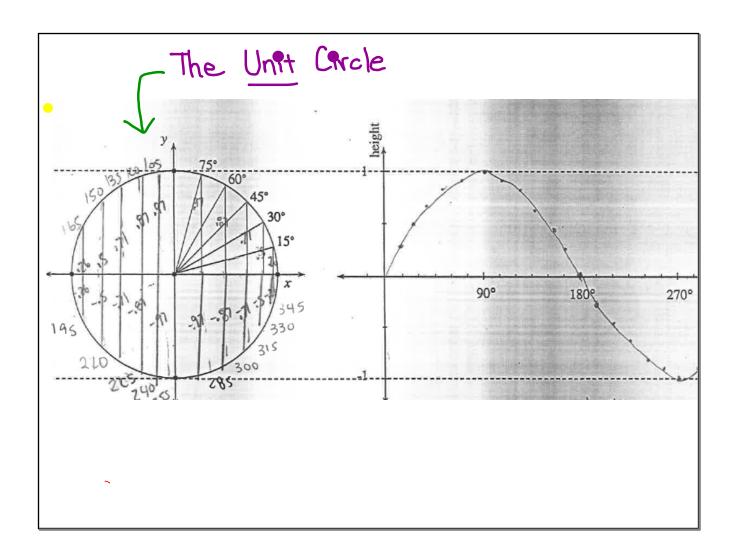


A Cof a function

is the same value as an

of 
$$y = \sin X$$





BB.

Assignment:

**7**....36-38, 40-41, 44

