Michigan's next water crisis is PFAS and you may already be affected

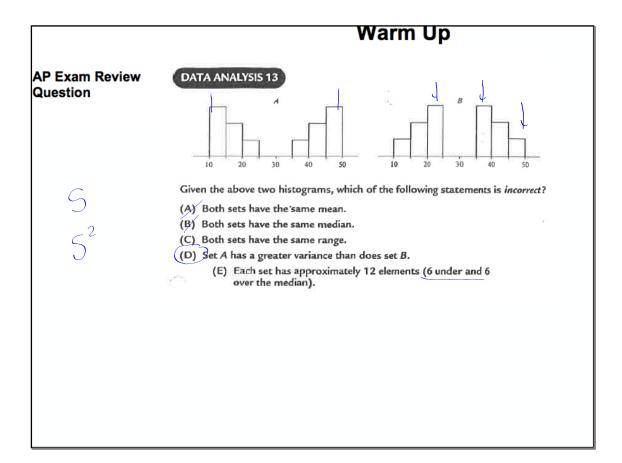






By Paula Gardner and Garret Ellison, MLive.com July 10, 2018

Pick Up the Warm UP



Answer: (E) Both sets are symmetric about 30, so they have the same mean and median. Both sets have the range 50 - 10 = 40. Set A has a higher percentage of values further from the mean than does set B, so set A has a greater variance. Histograms give relative frequencies, not actual numbers.

✓ INTERPRET a Type I error and a Type II error in context. GIVE a consequence of each error in a given setting.

Should Rockford switch to bottled water? 9.1 Day 2



The Wolverine Worldwide (a shoe company in Rockford) improperly disposed of chemicals (PFAS), which have leaked into the ground water. The state's drinking water limit of 70 parts per trillion (ppt) is considered safe, while anything above 70 ppt is considered dangerous. Officials believes the water in Rockford may be unsafe. They take a random sample of 200 households in Rockford. They find the average lead level of the sample is 70.5 ppt.

- 1. State appropriate hypotheses for performing a significance test using words and symbols.
- 2. After conducting a significance test, a P-value of 0.045 is found. Interpret this value.
- 3. Based on the P-value, should Rockford keep the current water or switch to bottled water? Explain.

The Wolverine Worldwide (a shoe company in Rockford) improperly disposed of chemicals (PFAS), which have leaked into the ground water. The state's drinking water limit of 70 parts per trillion (ppt) is considered safe, while anything above 70 ppt is considered dangerous. Officials believes the water in Rockford may be unsafe. They take a random sample of 200 households in Rockford. They find the average lead level of the sample is 70.5 ppt.

- 1. State appropriate hypotheses for performing a significance test using words and symbols.
- 2. After conducting a significance test, a P-value of 0.045 is found. Interpret this value.

The Wolverine Worldwide (a shoe company in Rockford) improperly disposed of chemicals (PFAS), which have leaked into the ground water. The state's drinking water limit of 70 parts per trillion (ppt) is considered safe, while anything above 70 ppt is considered dangerous. Officials believes the water in Rockford may be unsafe. They take a random sample of 200 households in Rockford. They find the average lead level of the sample is 70.5 ppt.

1. State appropriate hypotheses for performing a significance test using words and symbols.

Ho: $\mu = 70$ ppt. ; The water is safe. $\alpha = 0.05$ Ha: $\mu > 70$ ppt. : The water is unsafe.

2. After conducting a significance test, a P-value of 0.045 is found. Interpret this value.

Assuming that the water is safe ($\mu=70$) there is a 0.045 probability of getting a sample mean of 70.5 ppt. or more purely by chance.

- 3. Based on the P-value, should Rockford keep the current water or switch to bottled water? Explain.
- 4. Let's suppose this decision is wrong. What would be a consequence of this error?
- 5. Given the water is safe, how often will this error occur?

3. Based on the P-value, should Rockford keep the current water or switch to bottled water? Explain.

They should switch to bottled water since we have convincing evidence for the alternative hypothesis.

- 4. Let's suppose this decision is wrong. What would be a consequence of this error?
- 5. Given the water is safe, how often will this error occur?

3. Based on the P-value, should Rockford keep the current water or switch to bottled water? Explain.

They should switch to bottled water since we have convincing evidence for the alternative hypothesis.

4. Let's suppose this decision is wrong. What would be a consequence of this error?

They would waste money and resources

5. Given the water is safe, how often will this error occur?

5% of the time we get statistically significant results purely by chance.



6. Now suppose the P-value was 0.14. Should the town keep the current water or switch to bottled water?

They should keep the current water since they don't have convincing evidence against the null.

- 7. Let's suppose this decision is wrong. What would be a consequence of this error?
- 8. Are the consequences in question #4 or question #7 more serious? Explain.

6. Now suppose the P-value was 0.14. Should the town keep the current water or switch to bottled water?

They should keep the current water since they don't

have convincing evidence against the null.

7. Let's suppose this decision is wrong. What would be a consequence of this error?

People would drink unsafe water and could get sick / possibly die.

8. Are the consequences in question #4 or question #7 more serious? Explain.

6. Now suppose the P-value was 0.14. Should the town keep the current water or switch to bottled water?

They should keep the current water since they don't have convincing evidence against the null.

7. Let's suppose this decision is wrong. What would be a consequence of this error?

Recole would drink unsafe water and could get sick / possibly die.

8. Are the consequences in question #4 or question #7 more serious? Explain.

#7. People getting sick is much worse than wasting money.

What it's like to live in the contaminated drinking water zones near Wolverine

Posted February 13, 2018 at 08:04 AM | Updated February 13, 2018 at 08:08 AM













When we draw conclusions from a significance test we hope our conclusion will be correct. But sometimes it will be wrong. There are two types of errors we can make.

Important ideas:
Type lerior •

Type 2 error •

Important ideas:

TYPE I FREDE: The null hypothesis is true occurs by chance but... we make the wrong decision.

THE I FREDE: The alternate decision is true but... we make the wrong decision.

We don't reject when we should be don't reject when we

3. Based on the P-value, should Rockford keep the current water or switch to bottled water? Explain.

They should switch to bottled water since we have convincing evidence for the alternative hypothesis.

4. Let's suppose this decision is wrong. What would be a consequence of this error?

They would waste money and resources

5. Given the water is safe, how often will this error occur?

5. of the time we get statistically significant results purely by chance.

Type I

occurs

fire time

6. Now suppose the P-value was 0.14. Should the town keep the current water or switch to bottled water?

They should keep the current water since they don't have convincing evidence against the null.

7. Let's suppose this decision is wrong. What would be a consequence of this error?

People would drink unsafe water and could get sick / possibly die.

8. Are the consequences in question #4 or question #7 more serious? Explain.

#7. People getting sick is much worse than wasting money.

If a type | error has more serious consequences, consider using a smaller & level

If a Type II error has more consequences, consider using a larger of

Truth about the population

Don't use term? wology "Accept Ho"

		Truth about the population	
		H_0 true	H_a true
Conclusion based on sample	Reject H_0	Type I error	Correct conclusion
	Fail to reject H_0	Correct conclusion	Type II error

If H_0 is true:

- Our conclusion is correct if we don't find convincing evidence that H_a is true.
- We make a type I error if we find convincing evidence that H_a is true.

If H_0 is false:

- Our conclusion is correct if we find convincing evidence that H_a is true.
- We make a type II error if we don't find convincing evidence that H_a is

Check Your Understanding

The manager of a fast-food restaurant wants to reduce the proportion of drivethru customers who have to wait longer than 2 minutes to receive their food after placing an order. Based on store records, the proportion of customers who had to wait longer than 2 minutes was p = 0.63. To reduce this proportion, the manager assigns an additional employee to drive-thru orders. During the next month, the manager collects a random sample of 250 drive-thru times and finds that $\hat{p} = \frac{144}{250} = 0.576$. The manager then performs a test of the following hypotheses at the $\alpha = 0.10$

significance level:

 $H_0: p = 0.63$ (3 have to wait $H_a: p < 0.63$ \ess than 63 have to wait

where p = the true proportion of drive-thru customers who have to wait longer than 2 minutes to receive their food.

1. Describe a Type I error and a Type II error in this setting.

Describe a Type I error and a Type II error in this setting.

TYPE I:

TYPE II:

Which type of error is more serious in this case? Justify your answer.

1. Describe a Type I error and a Type II error in this setting.

TYPE I: 63" of the customers wait longer than 2 min, but the manager thinks there is less than that.

TYPE II: Less than 63" wait but the manager thinks 63" wait.

2. Which type of error is more serious in this case? Justify your answer.

Type I because the manager believes the extra employee reduces the proportion of customers who wait but it does not?

Anyone feel different about this?

3. Based on your answer to Question 2, do you agree with the company's choice of α = 0.10? Why or why not?

4. The P-value of the manager's test is 0.0385. Interpret the P-value.

3. Based on your answer to Question 2, do you agree with the company's choice of $\alpha = 0.10$? Why or why not?

Perhaps not. If the null is true, $\alpha = 6.10$ will result in a Type I error 10% of the time just by chance. They should use a smaller p-value.

4. The P-value of the manager's test is 0.0385. Interpret the P-value.

Assuming.

g

3. Based on your answer to Question 2, do you agree with the company's choice of $\alpha = 0.10$? Why or why not?

Perhaps not. If the null is true, $\alpha = 6.10$ will result in a Type Terror 10% of the time just by chance. They should use a smaller p-value.

4. The *P*-value of the manager's test is 0.0385. Interpret the *P*-value.

Assuming the proportion of customers who have to wait is p = 0.63, there is a 0.0385 prob. of getting a sample prop of 0.576 or less purley by chance.

We can decrease the probability of making a Type I error in a significance test by using a smaller significance level.

But there is a trade-off between P(Type I error) and P(Type II error): as one increases, the other decreases.

If we make it more difficult to reject H_0 by decreasing α , we increase the probability that we will not find convincing evidence for H_a when it is true.

Two Because the P-value of .1265 is greater than 0 = 0.05, we fail to reject the Sentence Structure We do not have convincing evidence that the true proportion of

Reminder Time

- 7 Complete . with appropriate detail
- 5 Complete but late (and complete with appropriate detail)
 - 3 Partially Complete

You get good at what you practice

January 14, 2019

this machine. Show details as done in class.

State: parameter: true mean M weight of cereal in boxes filled

Confidence level: 90% confidence

Plan: one sample t interval for M.

Concil homs:

Carded

Randown: "SRS of 30 boxes"

Normal: n 730 CLT

OC: General formula for CI. CI.: PE 1 MOE

Specific formula for CI.: CI.: PE 1 to 3 crea 0.05

Af: 21 + 17.97 ± 1.699. 0.2

CI.: 17.97 ± 1.699. 0.2

CI.: 17.988, 17.982)

Conclude: We are 90% confident that the interval from

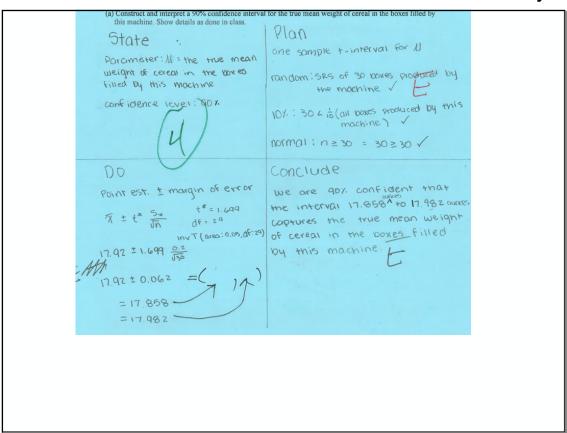
17.858 & to 17.9820 captures the true mean

weight M of the Cereal interval boxes filled

by this machine.

Gee your tests

January 14, 2019



9.1 21-29 (odds), 30-32