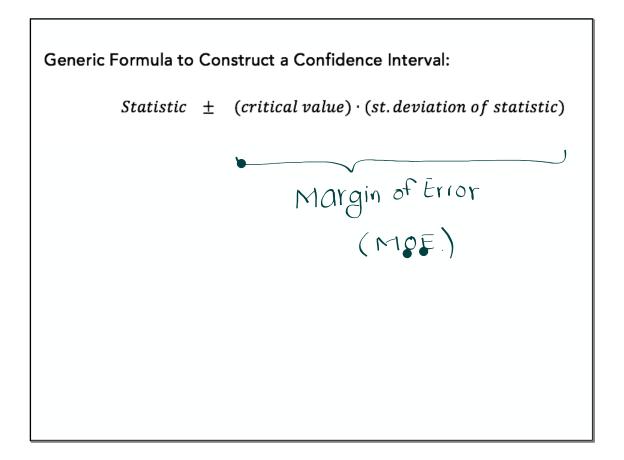
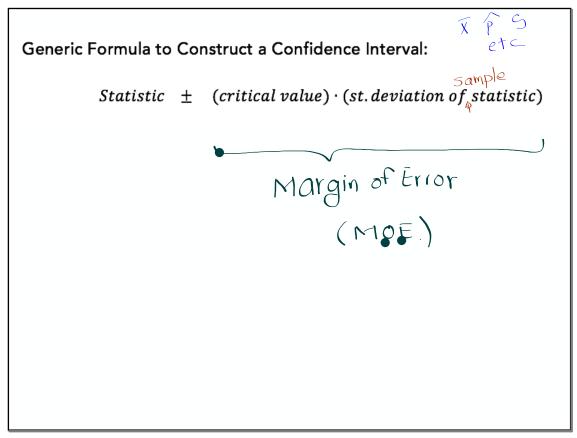
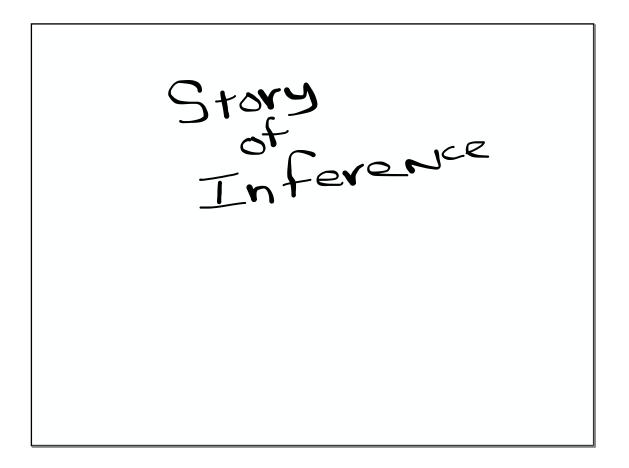


December 17, 2018

Table A	(Contin							z			
z		ued)	St	andard n	ormal pr	obabilitie	8				
	.00	.01	.02	.03	.04	.05	.06	.07	.08	.09	
0.0	.5000	.5040	.5080	.5120	.5160	.5199	.5239	.5279	.5319	.5359	
0.1	.5398	.5438	.5478	.5517	.5557	.5596	.5636	.5675	.5714	.5753	
0.2	.5793	.5832	.5871	.5910	.5948	.5987	.6026	.6064	.6103	.6141	
0.3	.6179	.6217	.6255	.6293	.6331	.6368	.6406	.6443	.6480	.6517	
0.4	.6554	.6591	.6628	.6664	.6700	.6736	.6772	.6808	.6844	.6879	
0.5	.6915	.6950	.6985	.7019	.7054	.7088	.7123	.7157	.7190	.7224	betweer 1.28 cm 1.29
0.6	.7257	.7291	.7324	.7357	.7389	.7422	.7454	.7486	.7517	.7549	1 stuper
0.7	.7580	.7611	.7642	.7673	.7704	.7734	.7764	.7794	.7823	.7852	bene
0.8	.7881	.7910	.7939	.7967	.7995	.8023	.8051	.8078	.8106	.8133	100
0.9	.8159	.8186	.8212	.8238	.8264	.8289	.8315	.8340	.8365	.8389	I L'X CM
1.0	.8413	.8438	.8461	.8485	.8508	.8531	.8554	.8577	.8599	.8621	1.29
1.1	.8643	.8665	.8686	.8708	.8729	.8749	.8770	.8790	.8810	.8830	1.01
1.2	.8849	.8869	.8888	.8907	.8925	.8944	.8962	.8980	.89 97	.9015	
1.3	.9032	.9049	.9066	.9082	.9099	.9115	.9131	.9147	.9162	.9177	100
1.4	.9192	.9207	.9222	.9236	.9251	.9265	.9279	.9292	.9306	.9319	\approx
1.5	.9332	.9345	.9357	.9370	.9382	.9394	.9406	.9418	.9429	.9441	
1.6	.9452	.9463	.9474	.9484	.9495	.9505	.9515	.9525	.9535	.9545	

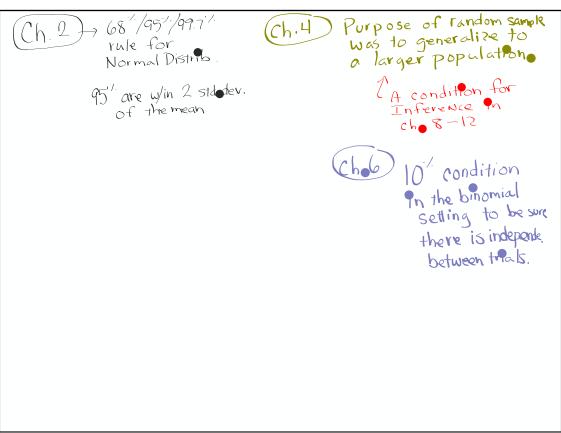


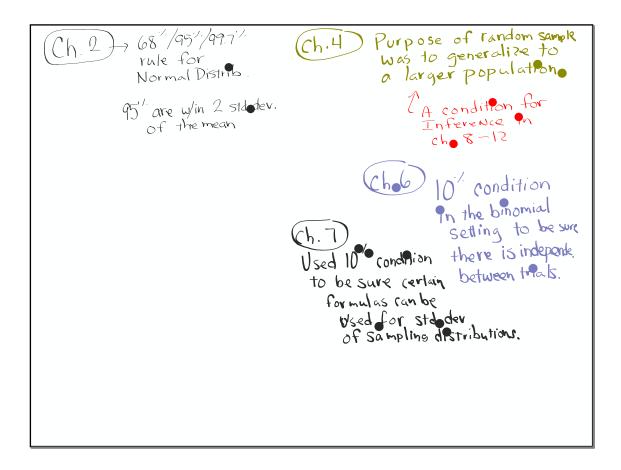


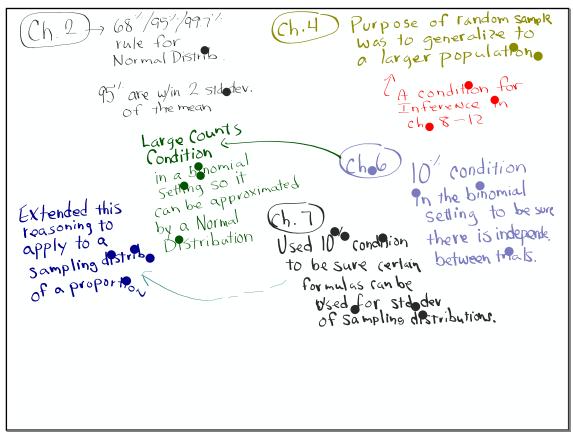


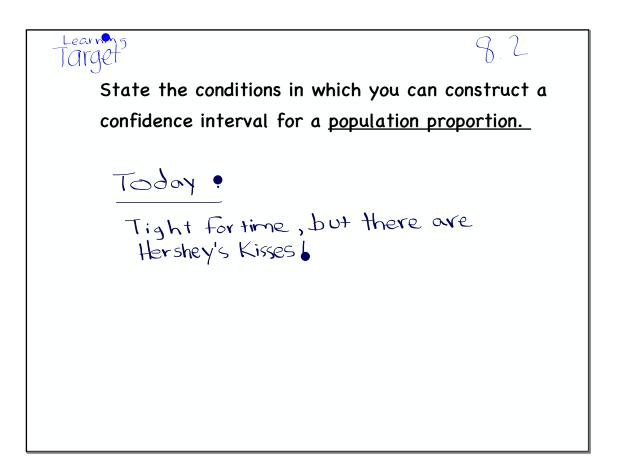
Ch. 2 -> 68 / 95 / 99.7 / rule for Normal Distrib 95" are w/in 2 statev. of the mean (ch.4) Purpose of random sample was to generalize to a larger population (Ch. 2) + 68"/95"/99.7" rule for Normal Distrib

A condition for Inference in che 8-12 95" are win 2 statev. of the mean







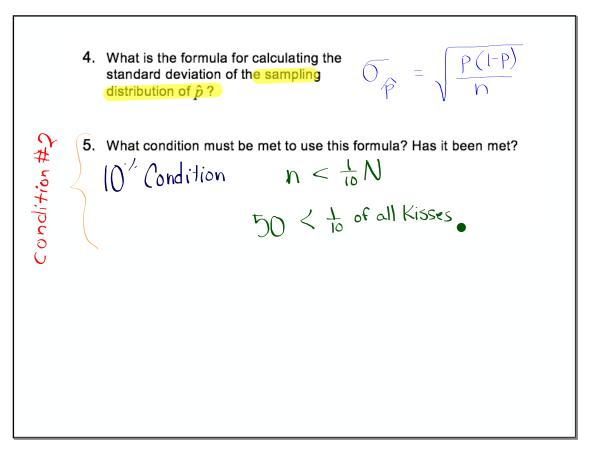


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When you toss a Hershey Kiss, it sometimes lands flat and sometimes lands on its side. What proportion of tosses will land flat? (We don't know the true proportion)		
Each group of three (or four) selects a random sample of 50 Hershey's Kisses to bring back to their desks. 50 Kisses and then calculate the proportion that land flat. Let $\hat{p}=$ the proportion of the Kisses that land fl		
1. What is your point estimate for the true proportion that land flat?		
2. Identify the population, parameter, sample and statistic. Population: All Hershey's Kisses Parameter: P = true proper sample: 50 Hershey's Kisses statistic: P = tand	rtia Ha	
3. Was the sample a random sample? Why is this important?	_	
Yes This is vital so we can yourgeneralize (make inferences) to the whole population	2	
generalize (make interonces)		
in the whole population.		

	Each group of three (or four) selects a random sample of 50 Hershey's Kisses to bring back to their desks. Toss the 50 Kisses and then calculate the proportion that land flat. Let \hat{p} = the proportion of the Kisses that land flat. 1. What is your point estimate for the true proportion that land flat?
S	2. Identify the population, parameter, sample and statistic. Population: <u>All Hershey's KRSes</u> Parameter: <u>p = true proportion</u> that sample: <u>50 Hershey's Kisses</u> statistic: <u>p = true</u> proportion that
onclition # 1	3. Was the sample a random sample? Why is this important? Yes. This is vital So we can generalize (make inferences) to the whole population.
C	to the whole population.

4.	What is the formula for calculating the standard deviation of the sampling distribution of \hat{p} ?
5.	What condition must be met to use this formula? Has it been met?



6. We don't know the value of p (that's the whole point of a confidence interval) so we will use \hat{p} instead. Calculate the standard deviation.

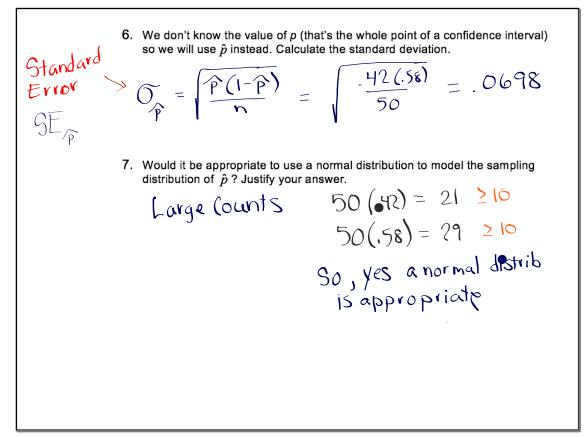
7. Would it be appropriate to use a normal distribution to model the sampling distribution of \hat{p} ? Justify your answer.

6. We don't know the value of p (that's the whole point of a confidence interval) so we will use \hat{p} instead. Calculate the standard deviation.

$$\widehat{O}_{\widehat{p}} = \sqrt{\frac{\widehat{p}(1-\widehat{p})}{n}} = \sqrt{-\frac{42(.58)}{50}} = .0698$$

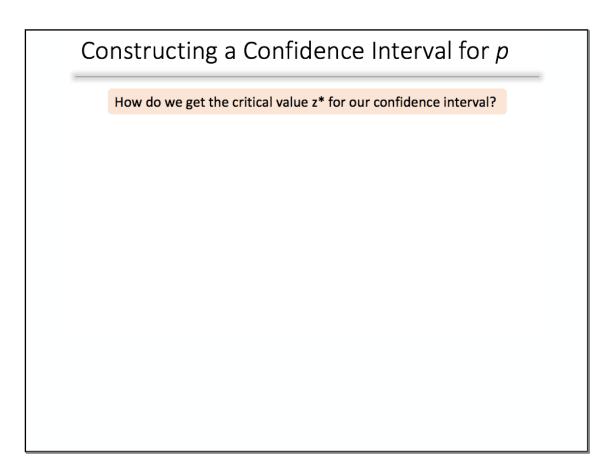
7. Would it be appropriate to use a normal distribution to model the sampling distribution of \hat{p} ? Justify your answer.

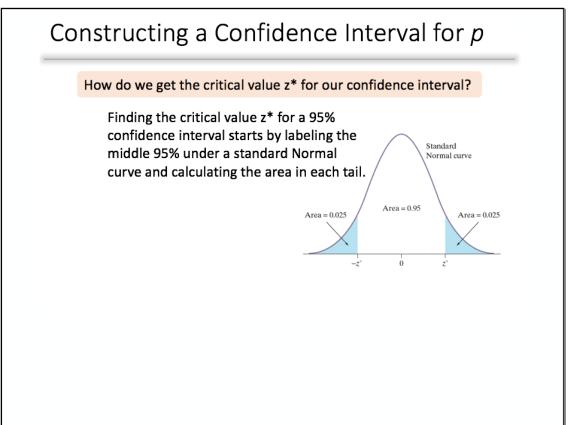
 $50(42) = 21 \ge 10$ $50(.58) = 29 \ge 10$ $50(.58) = 29 \ge 10$ So , yes a normal distrib is appropriate Large (ounts

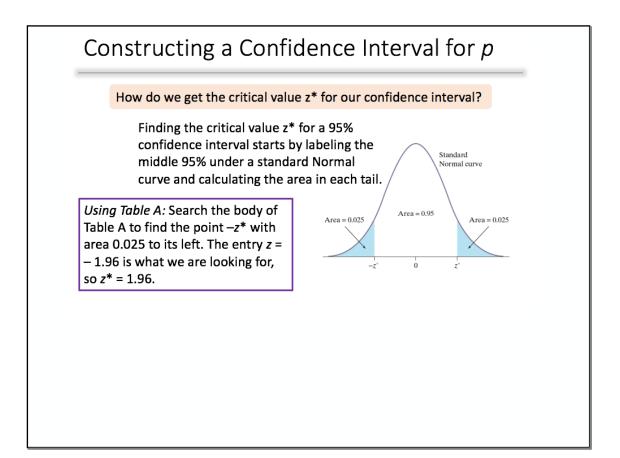


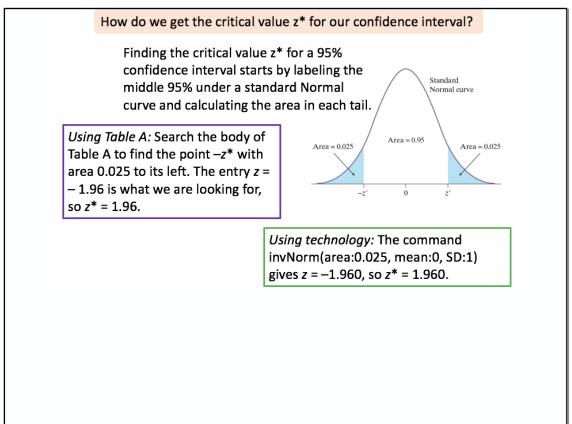
6. We don't know the value of
$$p$$
 (that's the whole point of a confidence interval)
so we will use \hat{p} instead. Calculate the standard deviation.
 $G_{p} = \sqrt{\frac{p(1-p)}{n}} = \sqrt{\frac{-42(.58)}{50}} = .0698$
 SE_{p}
7. Would it be appropriate to use a normal distribution to model the sampling
distribution of \hat{p} ? Justify your answer.
Large (ount S $50(.42) = 21 \ge 10$
 $50(.58) = 29 \ge 10$
 $So, yes a normal distribution
 $So, yes a normal distribution
 $Sappropriate$$$

8.		ata lies within standard deviations of the mean . Use table A or <i>invNorm</i> to find these critical values:
	80% of the data lies within	standard deviations of the mean
	90% of the data lies within	standard deviations of the mean
	95% of the data lies within	standard deviations of the mean
	99% of the data lies within	standard deviations of the mean



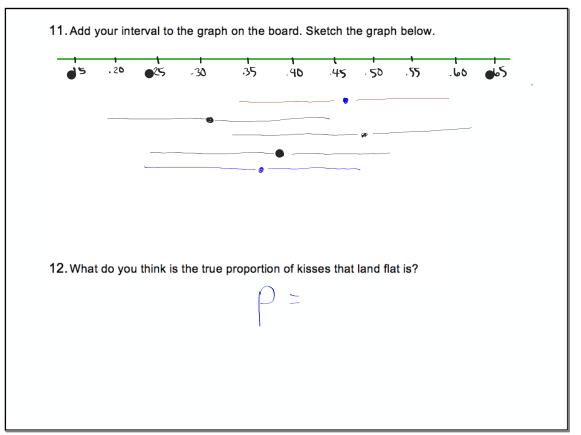




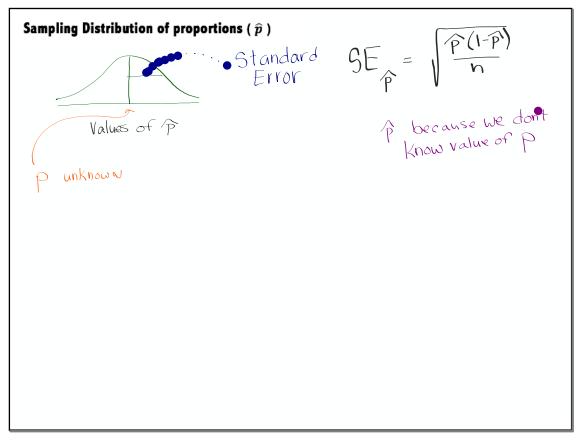


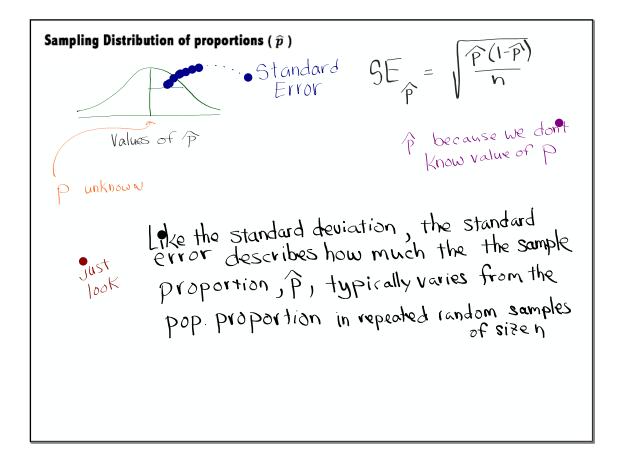
8.	In a normal distribution, 95% of the data lies within standard deviations of the mean This value is called the critical value . Use table A or <i>invNorm</i> to find these critical values:
	80% of the data lies within $\frac{282}{282}$ standard deviations of the mean
	90% of the data lies within $\frac{1.645}{0.645}$ standard deviations of the mean
	95% of the data lies within $\frac{1960}{1960}$ standard deviations of the mean $\frac{1960}{100}$
	99% of the data lies within $\frac{2.576}{5.576}$ standard deviations of the mean
	Povilarit
	99% of the data lies within <u>cryre</u> standard deviations of the mean $nv Norn$, $g5 \pm .025$

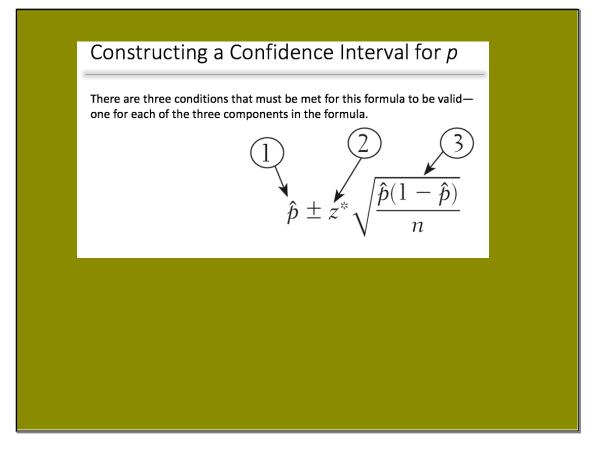
 Calculate the margin of error for a 95% interval by multiplying the critical value and standard deviation you found. Show your work.
10. Find the 95% confidence interval using point estimate +/- margin of error .
9. Calculate the margin of error for a 95% interval by multiplying the critical value example and standard deviation you found. Show your work.
$\begin{array}{c c c c} \hline & & & & & \\ \hline & & & & \\ \hline & & & & \\ \hline & & & &$
.42 ± .137 = (.283, .557)
, 42

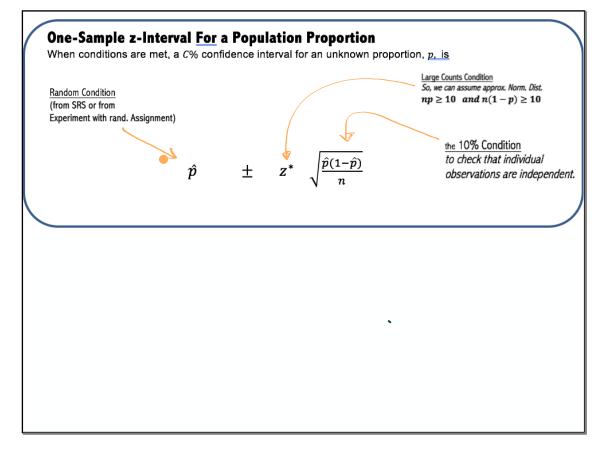


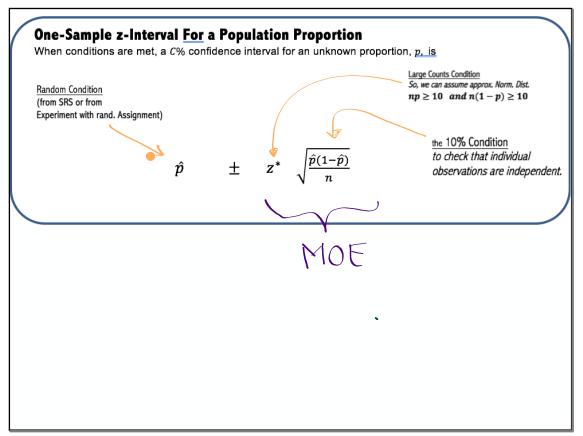
Back side



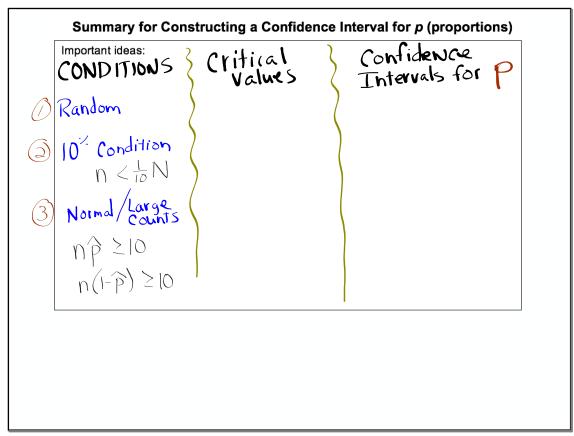




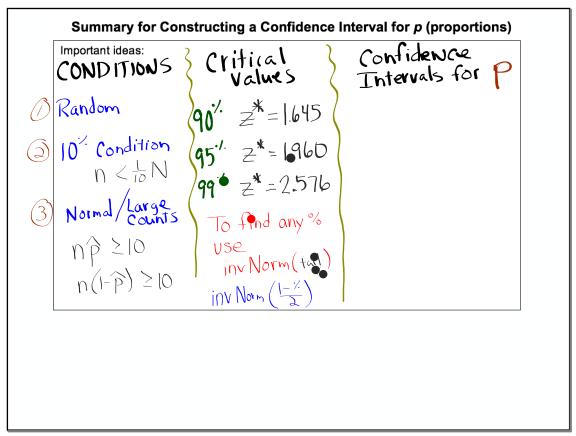




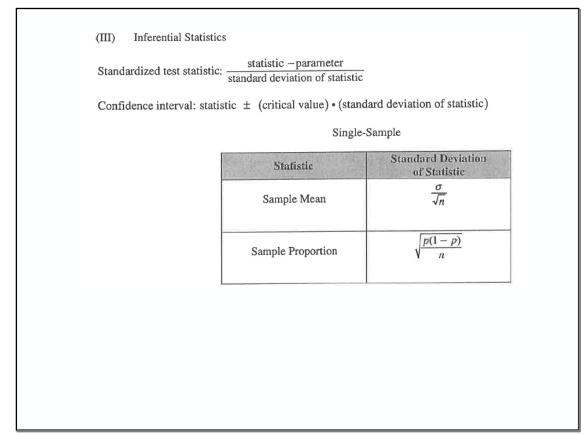
		nce Interval for <i>p</i> (proportions)
CONDITIONS	Critical Values	Confidence Intervals for P

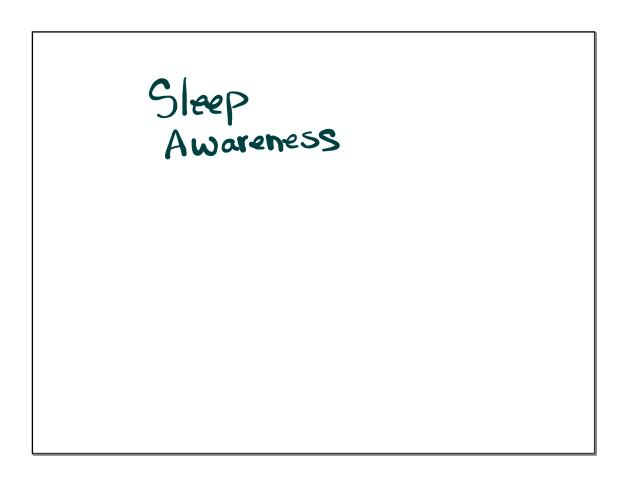


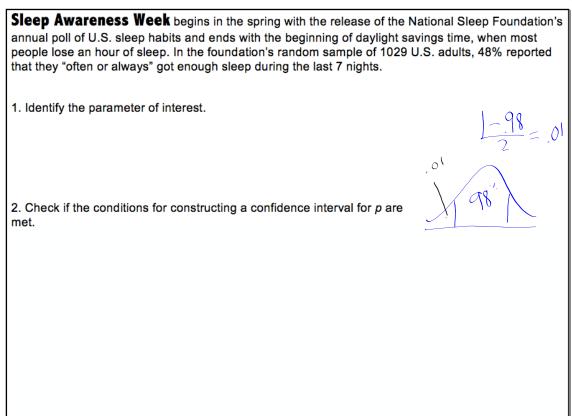
 $n\hat{p} \ge 10$ $n(1-\hat{p}) \ge 10$



Summary for Constructing a Confidence Interval for p (proportions) Standard error inv Norm (1-1/2)







Sleep Awareness Week begins in the spring with the release of the National Sleep Foundation's annual poll of U.S. sleep habits and ends with the beginning of daylight savings time, when most people lose an hour of sleep. In the foundation's random sample of 1029 U.S. adults, 48% reported that they "often or always" got enough sleep during the last 7 nights.

P = true propo of all US adults who "Often or always" got enough sleep during the last 7 days 1. Identify the parameter of interest.

2. Check if the conditions for constructing a confidence interval for p are

met.

Kandom

2) 10% 3) Normal/Large

Sleep Awareness Week begins in the spring with the release of the National Sleep Foundation's annual poll of U.S. sleep habits and ends with the beginning of daylight savings time, when most people lose an hour of sleep. In the foundation's random sample of 1029 U.S. adults, 48% reported that they "often or always" got enough sleep during the last 7 nights. P = true propo of all US adults who "often or always" got enough sleep during 1. Identify the parameter of interest. the last 7 days 2. Check if the conditions for constructing a confidence interval for p are () Random 8 a random sample of US Adults V met. (2) 10° (AII VS adults) √ (3) Normal/Large 1029 (.48) = 493.92 210 (Junis 1029 (.52) = 535.08 210

3. Find the critical value for a 98% confidence interval. Then calculate $z^{*} = inv Norm(.01) = -2.236$ the interval. Tail Proportion 1-.98 -.01 Interpret the interval in context.

3. Find the critical value for a 98% confidence interval. Then calculate $z^{*} = inv Norm(.01) = 2.236$ the interval. $\begin{array}{c} \uparrow \pm 2 \end{array} \overbrace{P(1-P)} \rightarrow .48 \pm 2.326 \end{array} \overbrace{1029}^{\circ \underline{48(.52)}}$ Tail Proportion 1-.98 - .01 4. Interpret the interval in context.

3. Find the critical value for a 98% confidence interval. Then calculate the interval. Tail Proportion = 100 Norm(.01) = 2.236 = 100 Norm(.01) = 2.236 = 2.236 $= 100 \text{ Norm}(.01) = 100 \text$

