Pick up the new Recording Sheet and the Warm Up



While you work, let me know if there are HW questions you want me to go over.

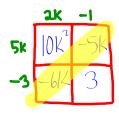
Area models can help rewrite expressions that involve multiplication?

The area model at right relates the expressions (2x - 3)(3x + 1) and $6x^2 - 7x - 3$.

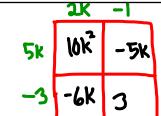
$$\begin{array}{c|cccc}
+1 & 2x & -3 \\
3x & 6x^2 & -9x \\
\hline
2x & -3 & -3
\end{array}$$

Use an area model to find an expression equivalent to (5k-3)(2k-1)

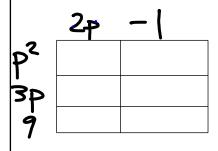


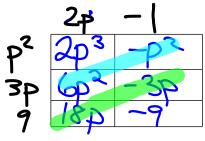


a) Use an area model to find an expression equivalent to (5k-3)(2k-1)



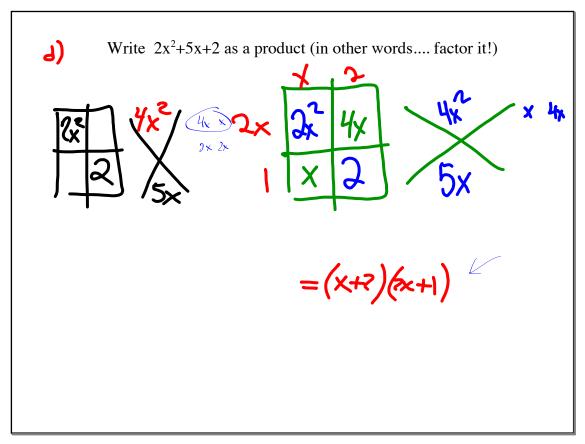
Use an area model to help you multiply $(p^2+3p+9)(2p-1)$ P)





$$2p^3 + 5p^2 + 15p - 9$$

Write the last problem as a product being equal to the sum
$$(p^{3}+3p+9)(2p-1) = 2p^{3}+5p^{2}+15p-9$$



FACTORING QUADRATICS

that are
Differences of Perfect Squares

$$W^{2} - 81 = W^{2} - 9^{2} = (w+9)(w-9)$$

$$x^{2} - 16y^{2} = X^{2} - 14y^{2} = (x+4y)(x-4y)$$

$$4m^{2} - 1 = [2m]^{2} - [1]^{2} = (2m+1)(2m-1)$$

$$4q^{2} + 9b^{2} = can' + be factored$$



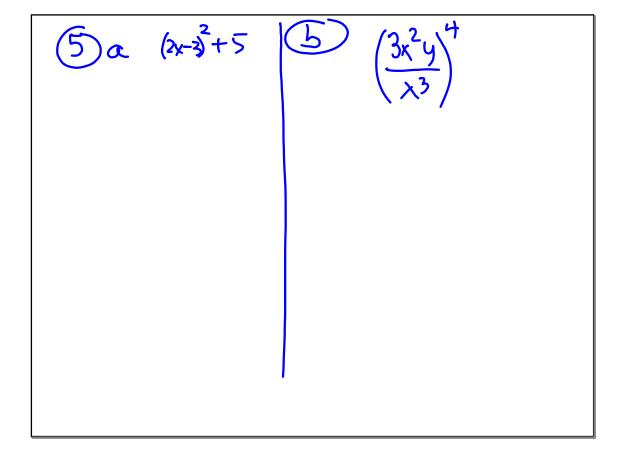
$$\frac{1}{2a} = \frac{1}{25^2} = \frac{1}{\sqrt{25}} = \frac{1}{5}$$

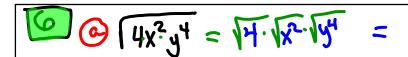
Bonnie
$$\frac{2x^{5}y^{4}}{8xy^{5}}$$

$$\frac{8x^{15}y^{12}}{512x^{3}y^{9}}$$

$$\frac{(2x^{5}y^{4})^{3}}{(x^{4}y)^{3}}$$

$$\frac{(2x^{5}y^{4})^{3}}{(x^{4}y)^{3}}$$



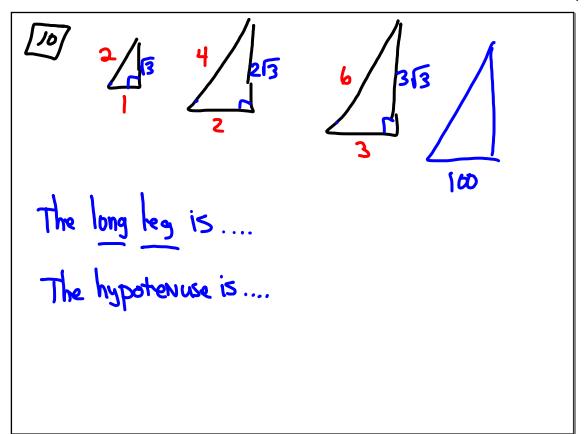


$$\bigcirc$$
 $\sqrt{8 \times y^2}$

18 Desribe the graph given the equation

- a) y=3
- P) X=-5
- c) Where do the graphs (1085

$$9$$
 342 = 23m+b
147 = $10m + b$



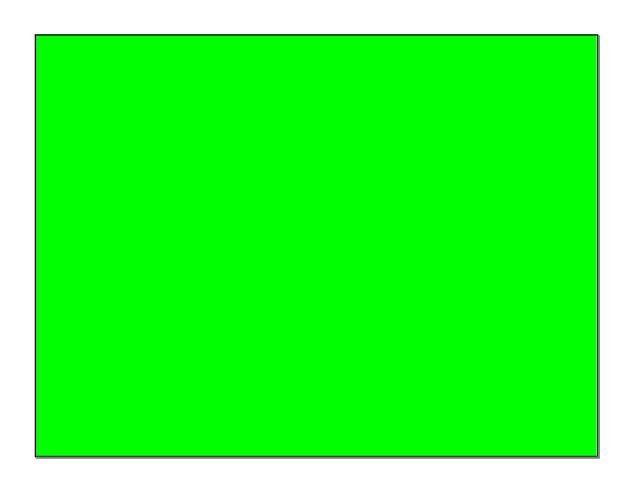


- (b) Geom
- @ Neither





(a)
$$25^{-\frac{1}{2}} = 25^{-\frac{1}{2}} = 25^{-\frac{1}2} = 25^{-\frac{1}2} = 25^{-\frac{1}2} = 25^{-\frac{1}2} = 25^{-\frac{1}2} = 25$$



Continuing with

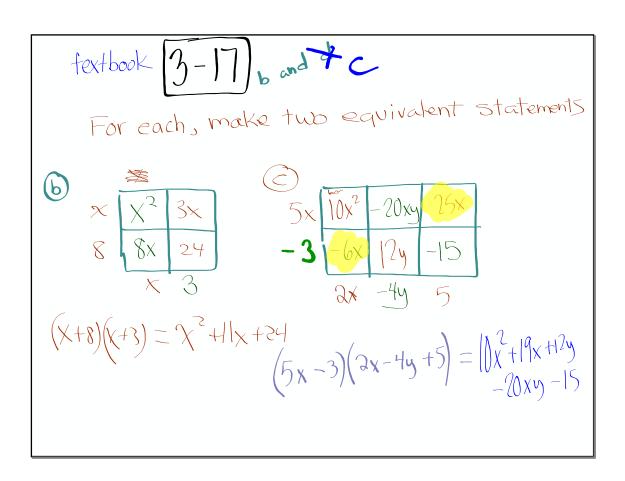
EQUIVALENT EXPRESSIONS

today' goal...

How can we be sure they are equivalent?

How would this look on a diagram?

What are other ways to find equivalent expressions?



The U substitution trick

a) In order to re-write
$$y^4 - x^2$$

subtitute U for y^2

$$U \Rightarrow y^2$$

$$= (v+x)(v-x)$$

$$= (y^2+x)(y^2-x)$$

b) Re-write
$$9x^2y^4 - z^6 = y^2 - y^2$$
Substitute U for $3xy^2$
and V for z^3

$$= (y+y)(y-y)$$

$$= (3xy^2+z^3)(3xy^2-z^3)$$

Solve the system
$$2x + y^7 = 6$$

$$3x - 2y^7 = -5$$
Substitute \mathbf{U} for y^7

$$2x + U = 6$$

$$3x - 2U = -5$$

$$4x + 2U = 12$$

$$+3x - 2U = -5$$

$$2(1) + U = 6$$

$$2 + U = 6$$

$$3 + U = 6$$

$$4 + U = 6$$

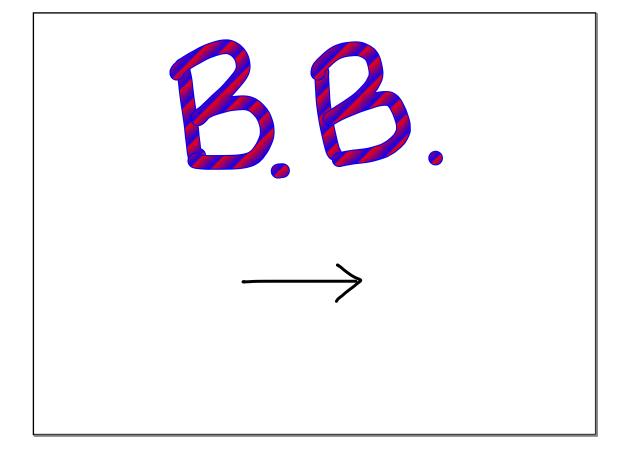
(a+7)² - 10(a+7) + 25

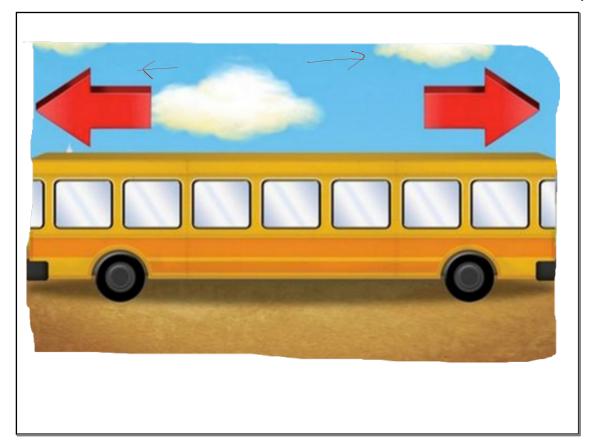
$$U^{2} - (0 U + 75)$$

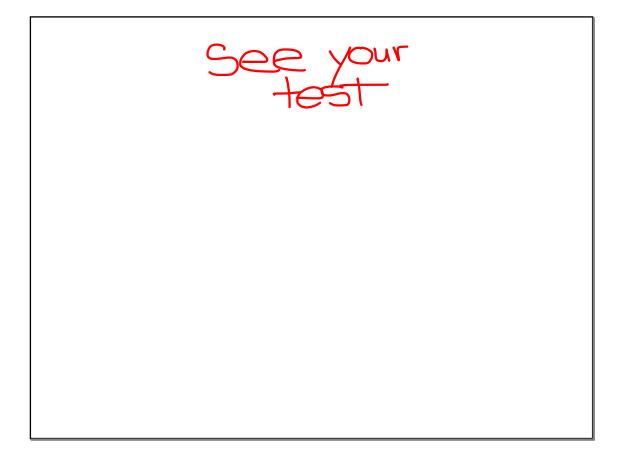
$$(U-5) (U-5)$$

$$(U-5) (U-5)$$

$$(U-7) (U-7)$$







Assignment

3-23ace, 25, 29c, 30, 31-32, 35ab