# Let mw Know about HW Questions.

The test on the first Unit of Descriptive Statistics will be next **Tuesday, September 18th.** Starting Friday, you will be given review problems.

Warm Up from Algebra 2 - Solve for t

$$30.(2.5) = 2000$$

$$4.58$$

$$2.5^{\dagger} = \frac{3000}{30}$$

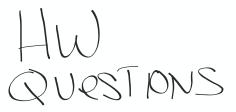
$$2.5^{\dagger} = \log(\frac{3000}{30})$$

$$4.69(2.5) = \log(\frac{2000}{30})$$

Noxt -t

$$1800(2) = 6$$
 $1800(2) = 6$ 
 $2^{t} = \frac{6}{1800}$ 
 $\frac{1}{2^{t}} = \frac{6}{1800}$ 
 $6.2^{t} = 1800$ 
 $2^{t} = 300$ 
 $109(2^{t}) = 109(300)$ 
 $109(2^{t}) = 109(300)$ 

$$\chi^{-2} \rightarrow \chi^{2}$$



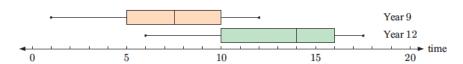
15 A sample of 10 measurements has a mean of 15.7 and a sample of 20 measurements has a mean of 14.3. Find the mean of all 30 measurements.

5 The table shows the sizes of land blocks on a suburban street. Use technology to estimate the mean land block size.

| Land size (m <sup>2</sup> ) | Frequency |
|-----------------------------|-----------|
| [500, 600)                  | 5         |
| [600, 700)                  | 11        |
| [700, 800)                  | 23        |
| [800, 900)                  | 14        |
| [900, 1000)                 | 9         |

### **EXERCISE 6G.2**

1 The following side-by-side boxplots compare the times students in years 9 and 12 spend on homework.



a Copy and complete:

| Statistic | Year 9 | Year 12 |
|-----------|--------|---------|
| minimum   |        |         |
| $Q_1$     |        |         |
| median    |        |         |
| $Q_3$     |        |         |
| maximum   |        |         |

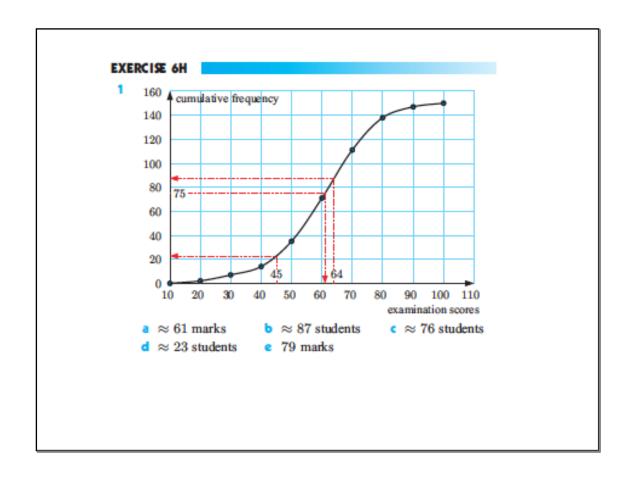
- **b** For each group, determine the:
  - range

- ii interquartile range.
- Are the following true or false, or is there not enough information to tell?
  - i On average, Year 12 students spend about twice as much time on homework as Year 9 students.
  - ii Over 25% of Year 9 students spend less time on homework than all Year 12 students.

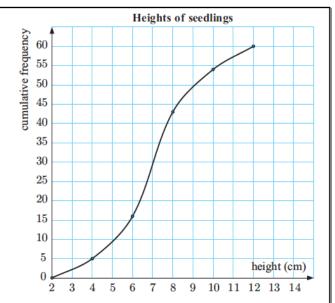
### **EXERCISE 6H**

- 1 The examination scores of a group of students are shown in the table. Draw a cumulative frequency graph for the data and use it to find:
  - a the median examination mark
  - b how many students scored less than 65 marks
  - how many students scored between 50 and 70 marks
  - d how many students failed, given that the pass mark was 45
  - f e the credit mark, given that the top 16% of students were awarded credits.

| Score                  | Frequency |
|------------------------|-----------|
| $10 \le x < 20$        | 2         |
| $20 \le x < 30$        | 5         |
| $30 \le x < 40$        | 7         |
| $40 \le x < 50$        | 21        |
| $50 \le x < 60$        | 36        |
| $60 \le x < 70$        | 40        |
| $70 \le x < 80$        | 27        |
| $80 \le x < 90$        | 9         |
| $90 \leqslant x < 100$ | 3         |



- A botanist has measured the heights of 60 seedlings and has presented her findings on the cumulative frequency graph below.
  - **a** How many seedlings have heights of 5 cm or less?
  - **b** What percentage of seedlings are taller than 8 cm?
  - c Find the median height.
  - **d** Find the interquartile range for the heights.
  - Copy and complete: "90% of the seedlings are shorter than ....."



See your LCQ

/ Remain in class
/ Each group given a copy of
solutions
/ NO cell phones

/ NO cell phones

| <u>Name</u><br>Fred                       | <u>Height</u> | Name Height                 |
|---|---------------|-----------------------------|
|   | 0.0 51        |                             |
|   | 6.0 ft.       | Mark 6.8 ft.                |
| George                                    | 5.8 ft.       | Matt 5.6 ft.                |
| Harry                                     | 5.9 ft.       | Lloyd 5.2 ft.               |
| Melvin                                    | 5.6 ft.       | Jim 4.6 ft.                 |
| Vern                                      | 6.5 ft.       | Cooper 7.1 ft.              |
| Dan                                       | 5.6 ft.       | Kirk 5.8 ft.                |
| <b>Andrew</b>                             | 5.8 ft.       | Charlie 5.7 ft.             |
| Craig                                     | 5.8 ft.       | Cleavon 5.9 ft.             |
| Nate                                      | 5.9 ft.       | Bob 5.6 ft.                 |
| Jeff                                      | 5.8 ft.       | Kenneth 6.1 ft.             |
| Mean =                                    | 5.87 feet     | Mean = 5.84 feet            |
| Standard                                  | deviation     | Standard deviation          |
| $(\text{or }\sigma) = 0.254 \text{ feet}$ |               | (or $\sigma$ ) = 0.719 feet |

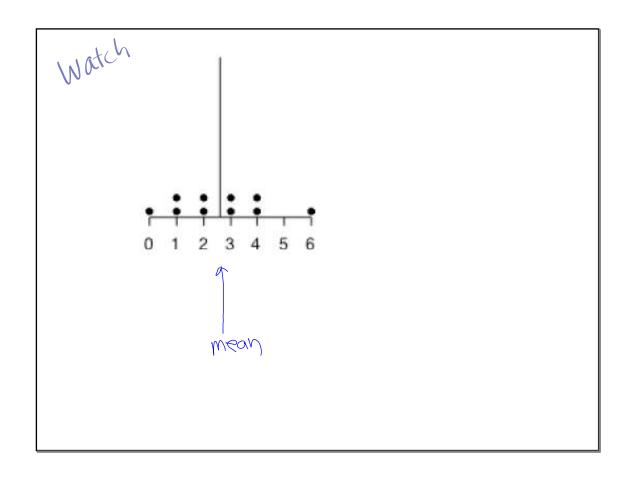
## Objectives:

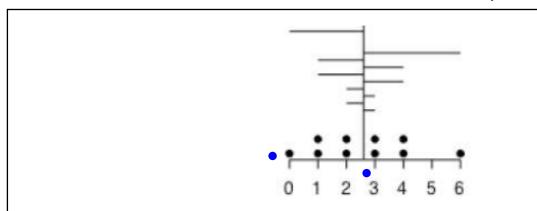
- 1. Understand what standard deviation means
- 2. Know how to calculate it by hand
- 3. Know how to calculate it with GDC

A

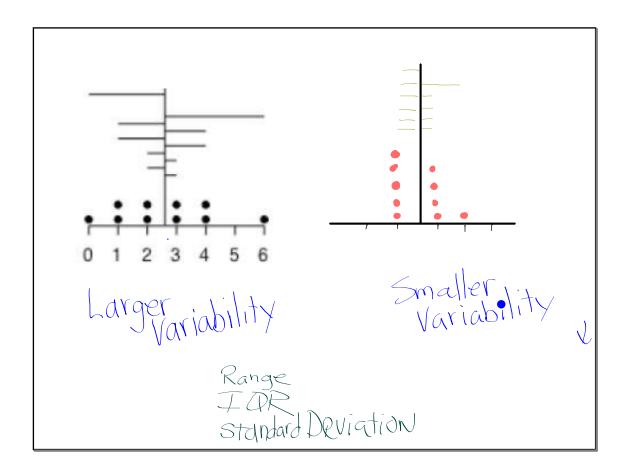
# The **Standard Deviation**

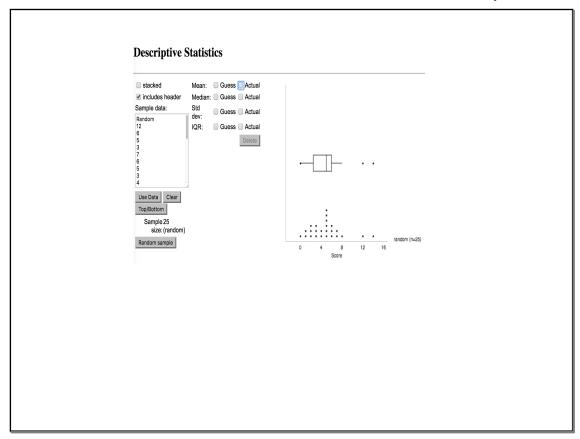
is a measure of how much variation there is from the center of the data. actually from the mean.

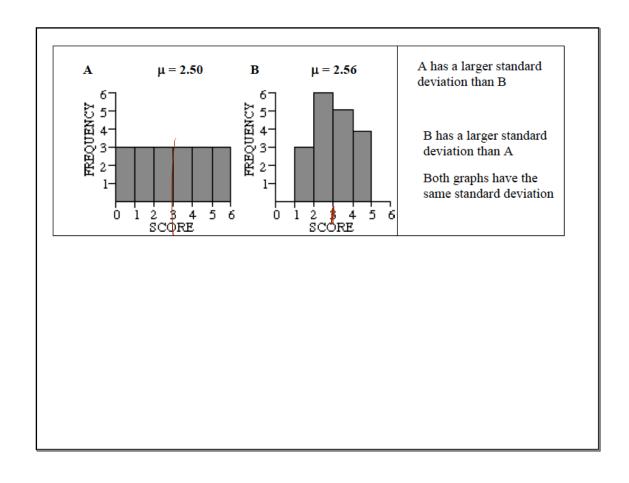


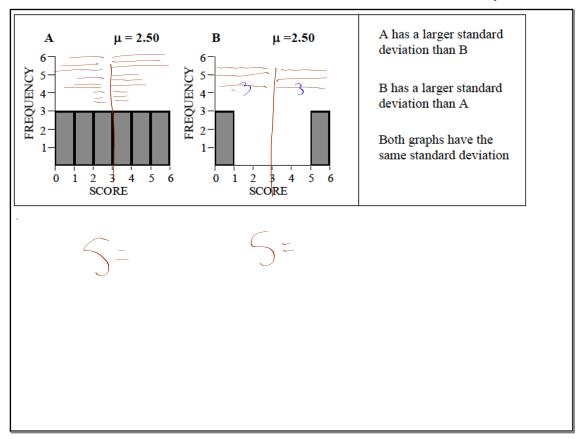


Now, think about the average size (length) of all of those deviation estimate for the size of the Standard Deviation. Don't worry about deviation is to the left or right of the mean. Just consider all of the length of the standard deviation below.









In your

Ch. (a) Read the

Packet bottom half

of page 197

$$S = \sqrt{\frac{2(x_i - \overline{x})^2}{n}} \quad \text{hiccops}$$

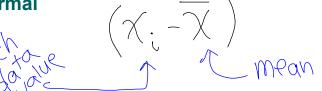
# The Standard Deviation

 ${f B}$ 

is the square root

of the <u>average</u> of the **squared** deviations from the mean.

<u>Deviation</u> just means how far from the normal



Together

Investion 4 on P. 198

Using two methods

$$S = \frac{\sum (x_{i} - \overline{x})^{2}}{\sum (x_{i} - \overline{x})^{2}}$$

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$$\frac{5 \text{chool}}{B} = \frac{5}{4} \frac{6}{4} \frac{7}{8} \frac{8}{9}$$

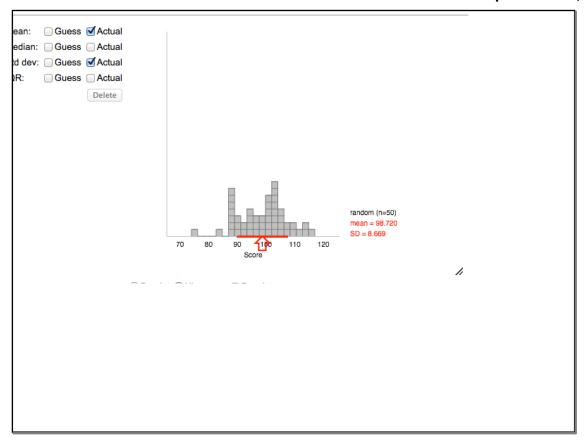
School 3 5 7 9 11
$$\overline{X} = 7 \quad n = 5$$

$$S = (3-7)+(5-7)+(7-7)+(9-7)+(1-7)$$

$$S = (16+4+0+4+16)$$

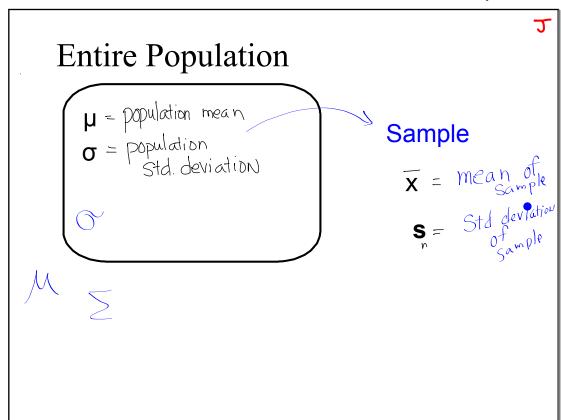
$$S = (18+4+0+4+16)$$

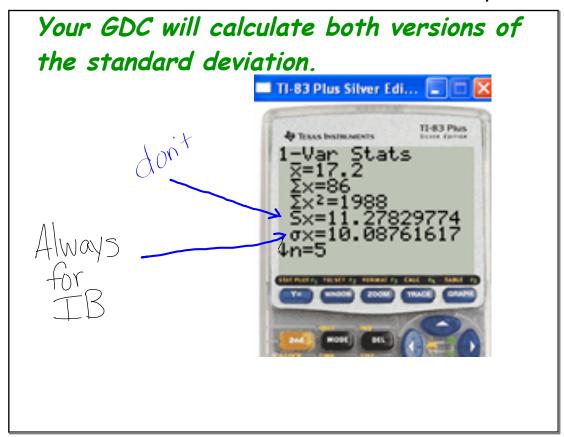
$$S = (18+4+1$$



# The bigger the standard deviation, the more variation in your data

The smaller the standard deviation, the less variation in your data set.





# Assignment --- Ch 6 HH packet

p.181.... 1

p.185.... 4

p.196....5, 6

p.199...3, 4, 6

The test on the first Unit of Descriptive Statistics will be next Tuesday, September 18th. Starting Friday, you will be given review problems.

Erethic C

# Oh, yes. It's time for a Statistics Joke

Two statisticians were traveling in an airplane from LA to New York. About an hour into the flight, the pilot announced that they had lost an engine, but don't worry, there are three left. However, instead of 5 hours it would take 7 hours to get to New York.

A little later, he announced that a second engine failed, and they still had two left, but it would take 10 hours to get to New York.

Somewhat later, the pilot again came on the intercom and announced that a third engine had died. Never fear, he announced, because the plane could fly on a single engine. However, it would now take 18 hours to get to New York. At this point, one statistician turned to the other and said,

"Gee, I hope we don't lose another engine, or we'll be up here forever!"