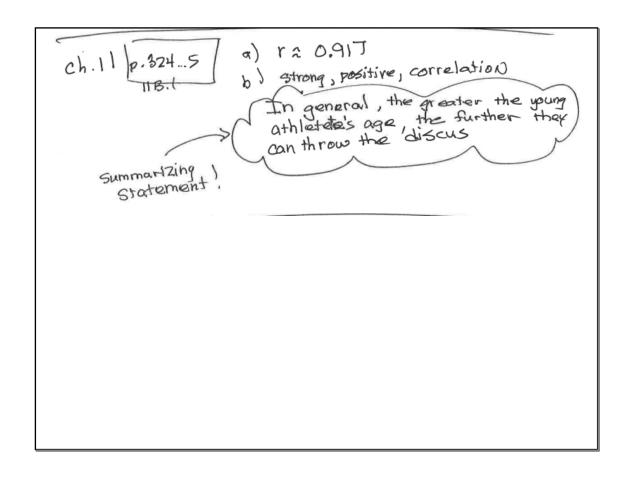
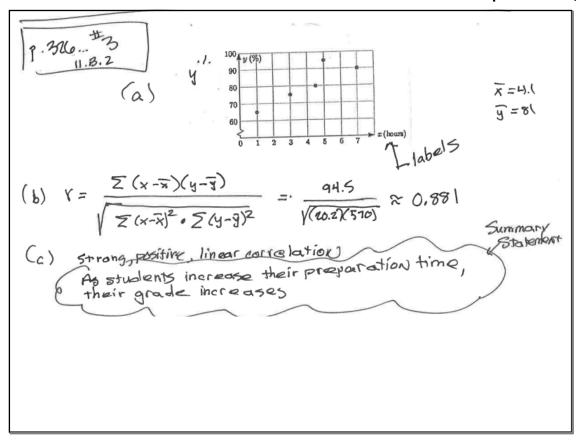
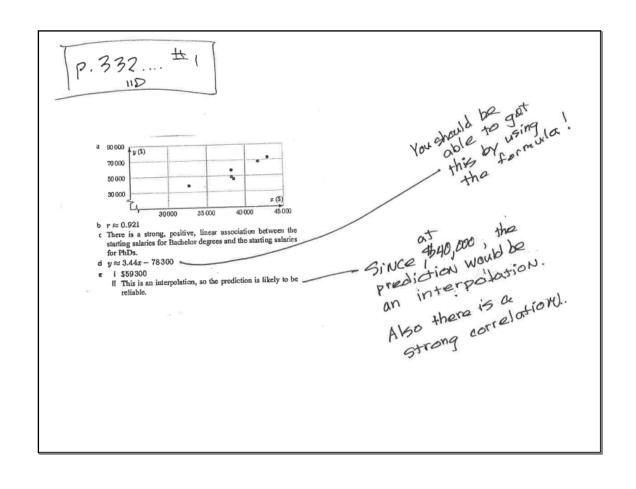
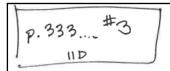
- Pick up the solutions. Use only pens of a different color to mark your HW.
- Let me know if there are questions.

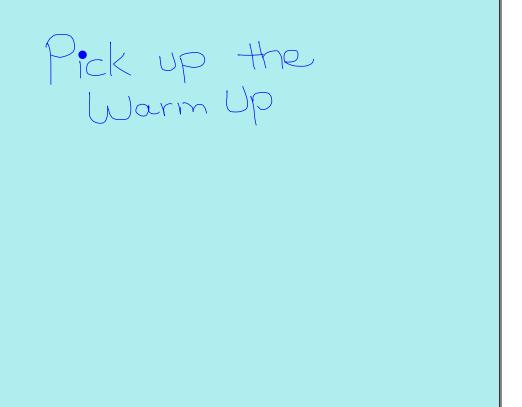








- a $\tau \approx -0.924$
- b There is a strong negative, linear correlation between the petrol price and the number of customers.
- $\varepsilon y \approx -4.27x + 489$
- d gradient ≈ -4.27, for every 1 cent per litre increase in the price of petrol, a service station will lose 4.27 customers.
- e -5.10 customers
- f It is impossible to have a negative number of customers. This extrapolation is not valid.



WARM UP

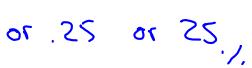
The probability of flipping a head when a coin is tossed is 0.5 or 50%

What is the probability of flipping two coins and getting a head on each?

Now we'll flip one coin and roll one die. What is the probability of flipping a tail and getting a six?

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	Graduated	Failed to Graduate	Total
Experimental	73	12	85
Control	43	39	82
Total	116	51	167

The probability of being in the <u>experimental</u> group is _____

The probability of <u>someone graduating</u> in the sample is _____

The probability of being BOTH in the experimental group and a graduate is:

	Graduated	Failed to Graduate	Total
Experimental	73	12	85
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Total	116	51	167

The probability of being in the <u>experimental</u> group is _____

The probability of <u>someone graduating</u> in the sample is _____

The probability of being BOTH in the experimental group and a graduate is:

$$\frac{73}{167} \approx 43.7^{\prime\prime}$$





Now that we know the probability of being in both groups is $\frac{43.7\%}{}$, how many students would we expect to be a graduate from the experimental group?

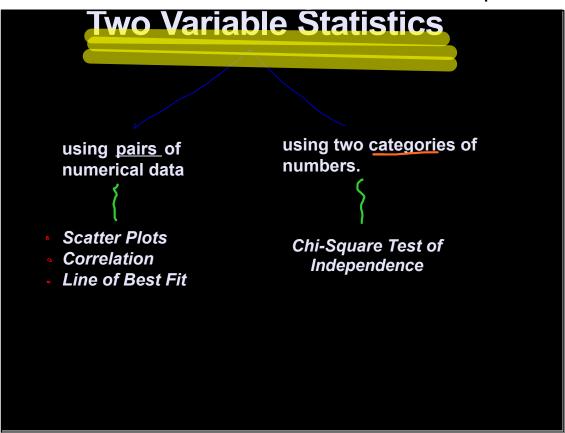


IB Math Studies SL Statistical Applications

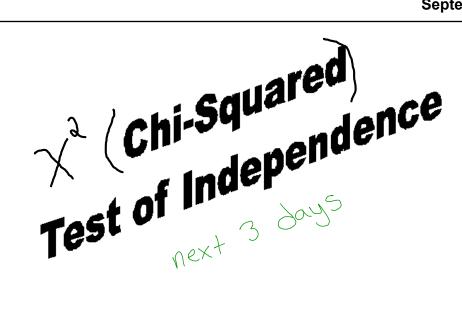
- The Normal Distribution
- Correlation
- Regression Line
- X² test

Types of statistics

- 1. <u>Descriptive</u> (which *summarize some characteristic* of a sample)
 - Measures of central tendency Mean, Median, Mode
 - Measures of dispersion Range, Interquartile Range, Standard Deviation
 - Measures of skewness
- 2. <u>Inferential</u> (which test for significant *differences* between groups and/or significant *relationships* among variables within the sample
 - t-ratio, chi-square, beta-value



We don't use the term
"correlation"
with data that is
categorical.



> The chi-square test of independence is one of the most frequently used hypothesis test in the social sciences because it can be used with variables at any level of measurement.

+0000

Part 1 Background and Skills

I will be giving you a hand out with some partially filled notes.

Contingency Tables

Satisfied in job

Completed University

YES NO

YES 272 618

NO 238 292

	Wore hat and sunscreen	Wore hat or sunscreen	Wore neither
Sunburnt	3	5	13
Not sunburnt	36	17	1
sum			

	Likes chicken	Dislikes chicken	sum
Likes fish			60
Dislikes fish			40
sum	75	25	100

Another Example

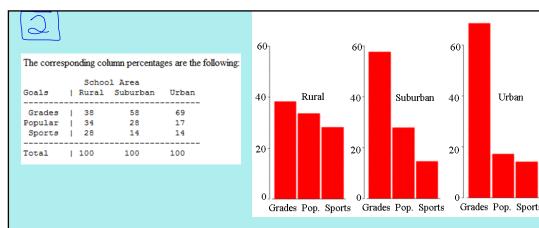
In the the following data set, students in grades 4-6 were asked whether good grades, athletic ability, or popularity was most important to them.

A two-way contingency table separating the students by grade and by choice of most important factor is shown:

Is there an association between the type of school area and the students' choice of good grades, athletic ability, or popularity as most important?

A two-way table for student goals and school area appears as follows:

School Area						
Goals	-1	Rural	Suburban	Urban	Total	
Grades		57	87	24	168	
Popular		50	42	6	98	
Sports	1	42	22	5	69	
Total	1	149	151	35	335	



Sometimes these differences in can be "eyeballed" by observing split bar graphs...

From the table and corresponding graphs, *it appears* that the emphasis on grades increases as the school areas become more urban, while the emphasis on popularity decreases.

To be sure, we can use a **Statistic** to measure if there is truly a relationship (or association) between the two variables.

In the last example, the statistic would tell us if there is a LINK between <u>living area</u> and <u>emphasis on grades</u>.

is a <u>statistic</u> that measures

the difference between values that we observe in a contingency table and values that we would expect to see given the overall totals.

Age of voter

	18 to 35	36 to 59	60+
Party A	85	95	131
Party B	168	197	173

Contingency tables are used to examine the relationship between two qualitative or categorical variables.

For example, consider the hypothetical experiment on the effectiveness of early childhood intervention programs.

	Graduated	Failed to Graduate	Total
Experimental	73	12	85
Control	43	39	82
Total	116	51	167

	Graduated	Failed to Graduate	Total
Experimental	73	12	85
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Total	116	51	167

In the experimental group, 73 of 85 students graduated from high school. the control group, only 43 of 82 students graduated.

The table shows that people in the experimental condition were more likely to graduate than were subjects in the control condition.

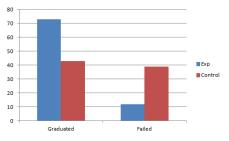
Thus, the <u>column</u> a person is in (graduated or failed to graduate) is *contingent upon* (depends on) the <u>row</u> the person is in (experimental or control)

	Graduated	Failed to Graduate	Total
Experimental	73	12	85
Control	43	39	82
Total	116	51	167

If the columns are <u>not</u> contingent on the rows, then the rows then the column frequencies are <u>independent</u> from each other.

(which means no association or link between the two variables)

	Graduated	Failed to Graduate	Total
Experimental	73	12	85
Control	43	39	82
Total	116	51	167







The **TEST** of whether the columns are contingent on the rows is called the

Chi square test of independence.

When running the test, the assumption (or null hypothesis) is always made that:

there is <u>no</u> relationship between row and column frequencies.



The first task in computing the chi square test of independence is to compute the expected frequency for each cell with the assumption of independence.

In other words, we are assuming that the two variables (graduation and intervention) are *independent* from each other, or not linked.

8					
	Graduated	Failed to Graduate	Total		
Experimental	73	12	85		
Control	43	39	82		
Total	116	51	167		

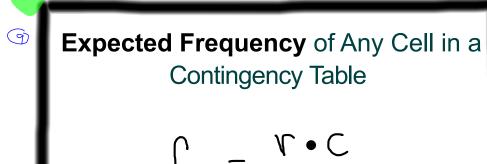
probability of being both experimental AND Graduated

•

		Graduated	Failed to Graduate	Total
	Experimental			85
	Control			82
,	Total	116	51	167

Expected frequency

of people being both experimental AND
Graduated



$$\int_{e} = \frac{1}{V \cdot C}$$

$$f_e = expected freq$$

where, $r = row total$

c = column total

n = total number of observations

(0)

Once the expected cell frequencies are computed, it is convenient to enter them into the original table as shown below. The expected frequencies are in parentheses.

	Graduated	Failed to Graduate	Total
Experimental	73 (59.042)	12 (25.958)	85
Control	43 (56.958)	39 (25.042)	82
Total	116	51	167



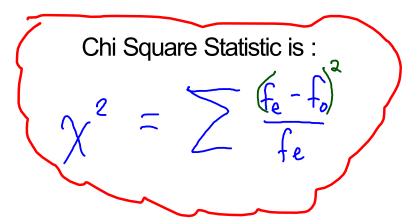


Observed frequencies

	Graduated	Failed to Graduate	Total
Experimental	73	12	85
Control	43	39	82
Total	116	51	167

Expected frequencies

	Graduated		
Experimental	59.042	25958	85
Experimental Control	56948	15. 642	82
Total	116	51	167



is a <u>statistic</u> that measures the difference between observed values and expected values

The next time we meet we will learn how to calculate this statistic in 3 different ways.

Project Stuff

-today you will get a copy of the Project Scoring Criteria

-and evaluate a project

(Wealth and Obsesity)

for Criteria A and B

Assignment in the Ch 11 packet:

read pp. 334-335

do p.336..... 1E.1 abcd — in each problem, be sure to show at least one sample calculation

do p. 333.... #5 on parts b and d, show the calculation by hand.